

Interlude: Vacuum Technology in a Nutshell



Topics:

Chamber: materials, seals

Pump: speed, pressure range

Pipes, valves: conductance, material

Component missing from photo?

Pressure has one of the largest dynamic ranges of any measured quantity. It also has a variety of units.

SI: $1\text{Pa} = 1\text{ N/m}^2$

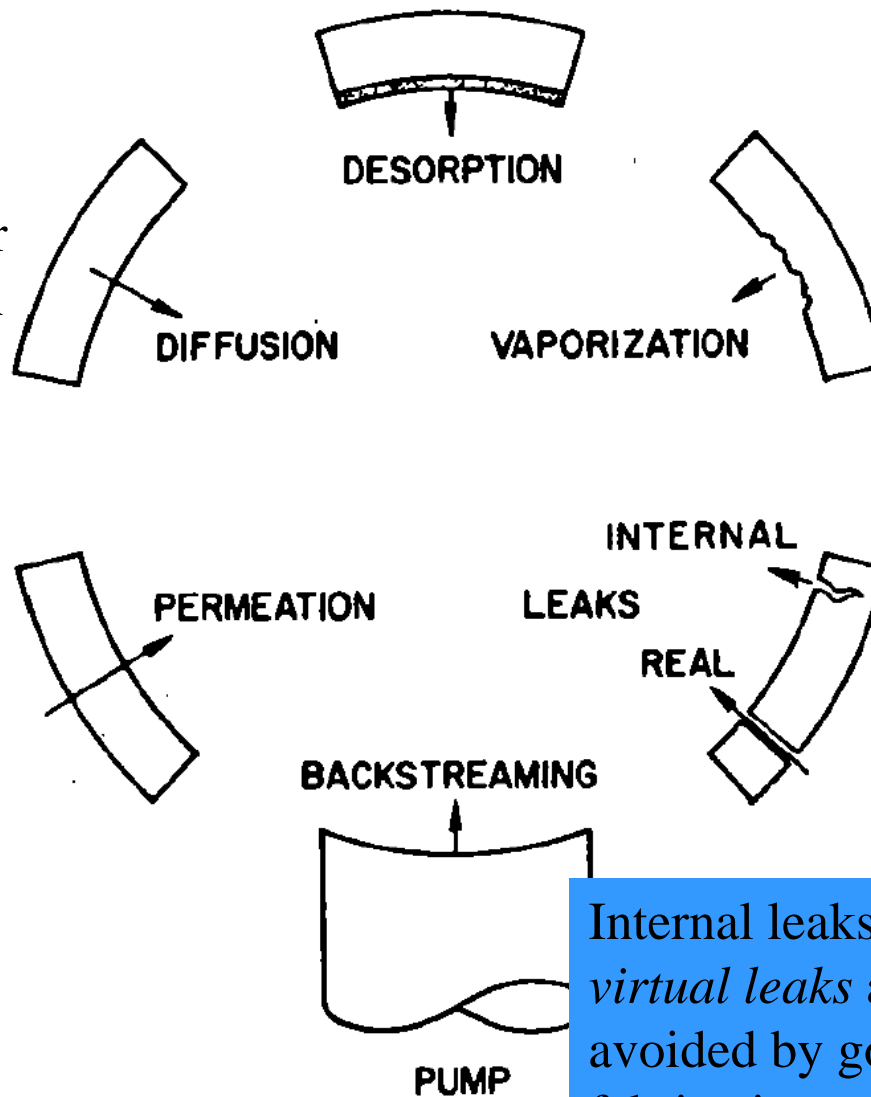
$1\text{ atm} = 760\text{ torr} = 101,325\text{ Pa}$

$1\text{ bar} = 10^5\text{ Pa}$ $1.33\text{ mbar} = 1\text{ torr}$

Vacuum Technology, Gas Sources

Summary Figure 4.1 in
O'Hanlon, 2nd Ed. & 3rd Ed.

Sources of residual gas after
the bulk filling gas has been
removed.



Internal leaks are often called *virtual leaks* and can only be avoided by good design and fabrication.

Vacuum Technology, Gas Properties

The total pressure can be measured but the microscopic makeup and behavior of the gas(es) are very important in vacuum systems.

Dry Air: 78.08 % nitrogen, 20.94 % oxygen, 0.93% Ar, 0.03% CO₂ ...

Humid Air: estimate partial pressure of H₂O as 24 Torr * (relative Humidity)
(up to ~3% and is temperature dependent)

Mean gas velocity:
$$v = \left(\frac{8k_B T}{\pi m} \right)^{1/2} = \left(\frac{8RT}{\pi MM} \right)^{1/2} = \frac{2512 \text{ m/s}}{\sqrt{MM (\text{g/mol})}}$$

Effusion:
$$\frac{v_1}{v_2} = \left(\frac{MM_2}{MM_1} \right)^{1/2}$$

Mean Free path:
$$\lambda = \frac{1}{\sqrt{2} \pi d^2 \rho_n} = \frac{6.6 \text{ mm Pa}}{P}$$

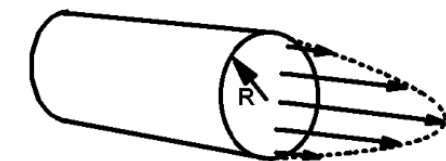
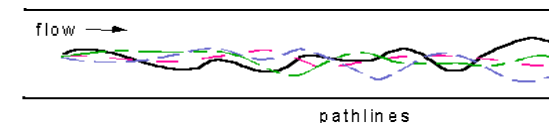
Vacuum Technology, Gas Flow –1–

Two dimensionless numbers are used to characterize gas flow regimes:

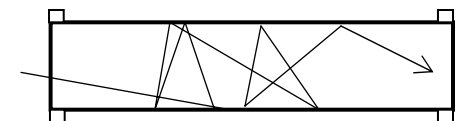
Knudsen's Number: $Kn = \lambda / d$ λ – mean free path, d – pipe diameter

Reynold's Number: $Re = U \rho d / \eta$ U – stream velocity, ρ – density, η – viscosity

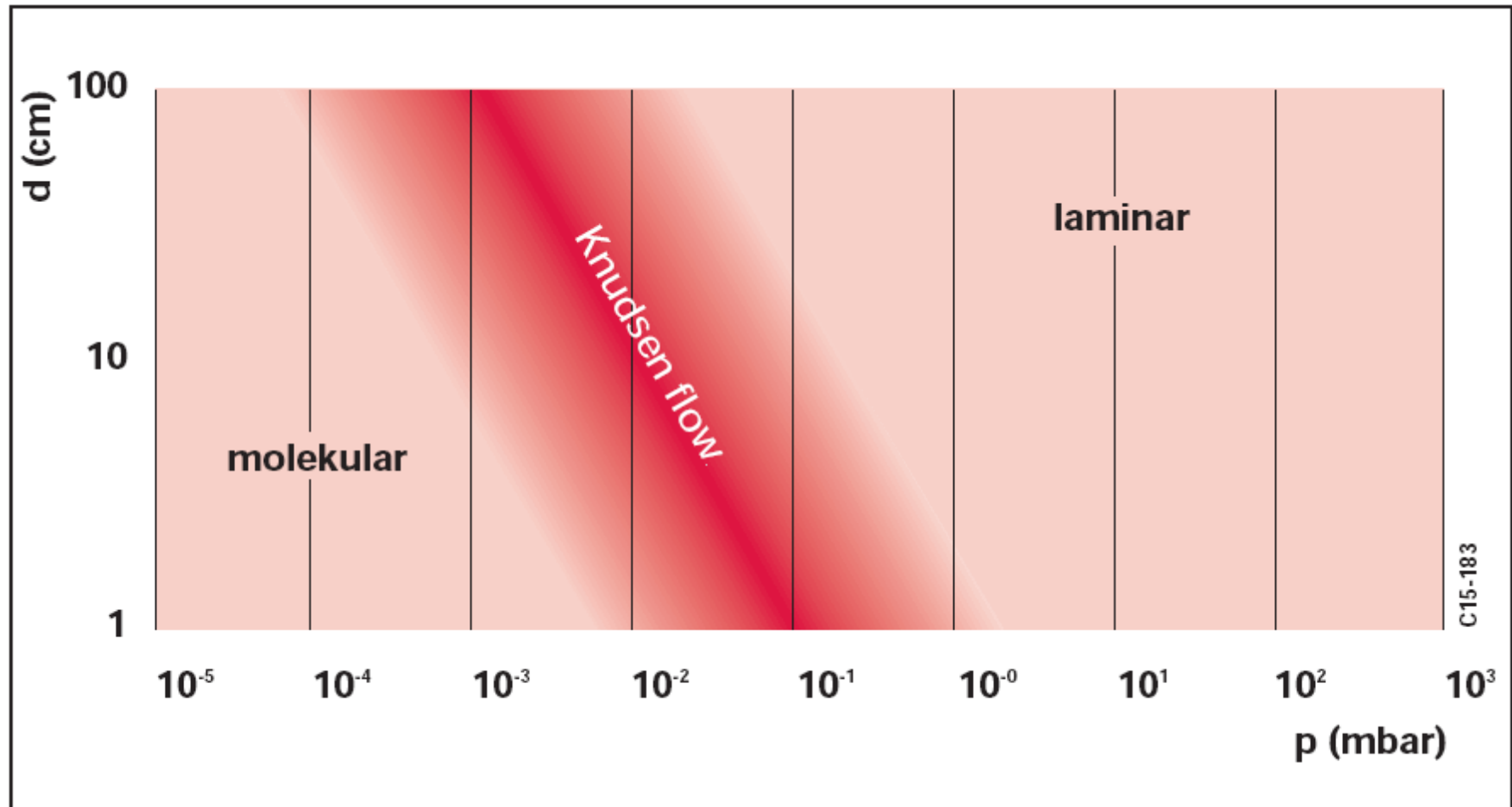
	Kn	Re
Turbulent	$\ll 0.01$	> 2200
Viscous Laminar	< 0.01	< 1200
Molecular	> 1	< 1200



visco8



Flow Regimes auf deutsch



Pfeiffer Vacuum, “Working with Turbopumps”

<http://www.pfeiffer-vacuum.de/cnt/en/706/> “Literature”

Gas flow can be analyzed in terms of the volume of gas, at some pressure, that passes a plane in a fixed period of time: $Q = d(PV)/dt$ where Q is called the “throughput” and has many sets of dimensions along the lines of torr-l/s .

All gases behave ideally at low pressure and nearly ideal under standard conditions.

$$Q = \frac{dPV}{dt} \quad PV = nRT \rightarrow Q = RT \frac{dn}{dt} \quad (\text{if isothermal})$$

Thus, Q also has units of energy/time = power (i.e. watts).

(A) When the system is in a steady state with a constant pressure:

$$Q = P \frac{dV}{dt} = P S \quad S \text{ is the } \textit{Speed} \text{ of the pump, e.g. liter/s}$$

(B) Whereas for continuous flow through a pipe with a pressure difference:

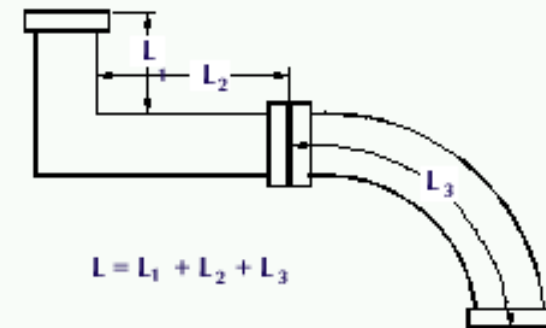
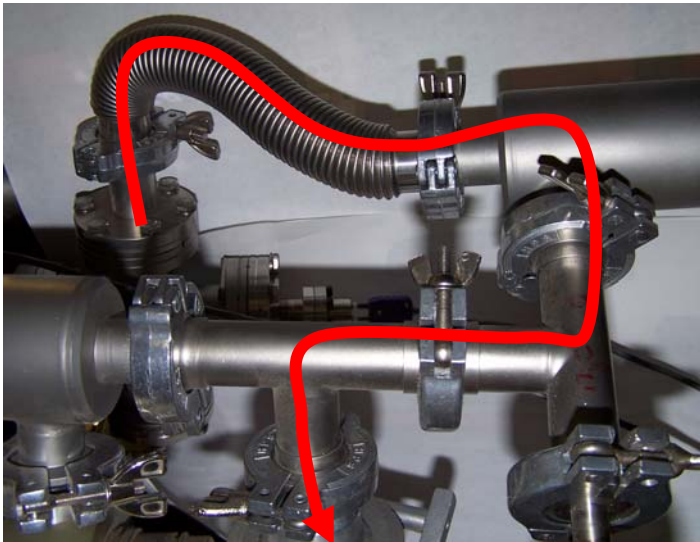
$$Q = C (P_2 - P_1) \quad C \text{ is the } \textit{Conductance} \text{ of the pipe, e.g. liter/s}$$

Vacuum Technology, Gas Flow –3–

The so-called fundamental vacuum equation is $PS = C \Delta P$. The pump speed, S , is a function that depends on the design of the pump *and* the pressure. Similarly, the conductance, C , depends on the design of the plumbing and also on the pressure.

	Laminar	Molecular
Aperture	(complicated)	$A v / 4$
Long Pipe	$\frac{\pi d^4}{128 \eta l} \frac{P_1 + P_2}{2}$	$(\pi/12) v d^3 / l$

Conductances are combined in reciprocal: $1/C_{\text{total}} = 1/C_1 + 1/C_2 + \dots$

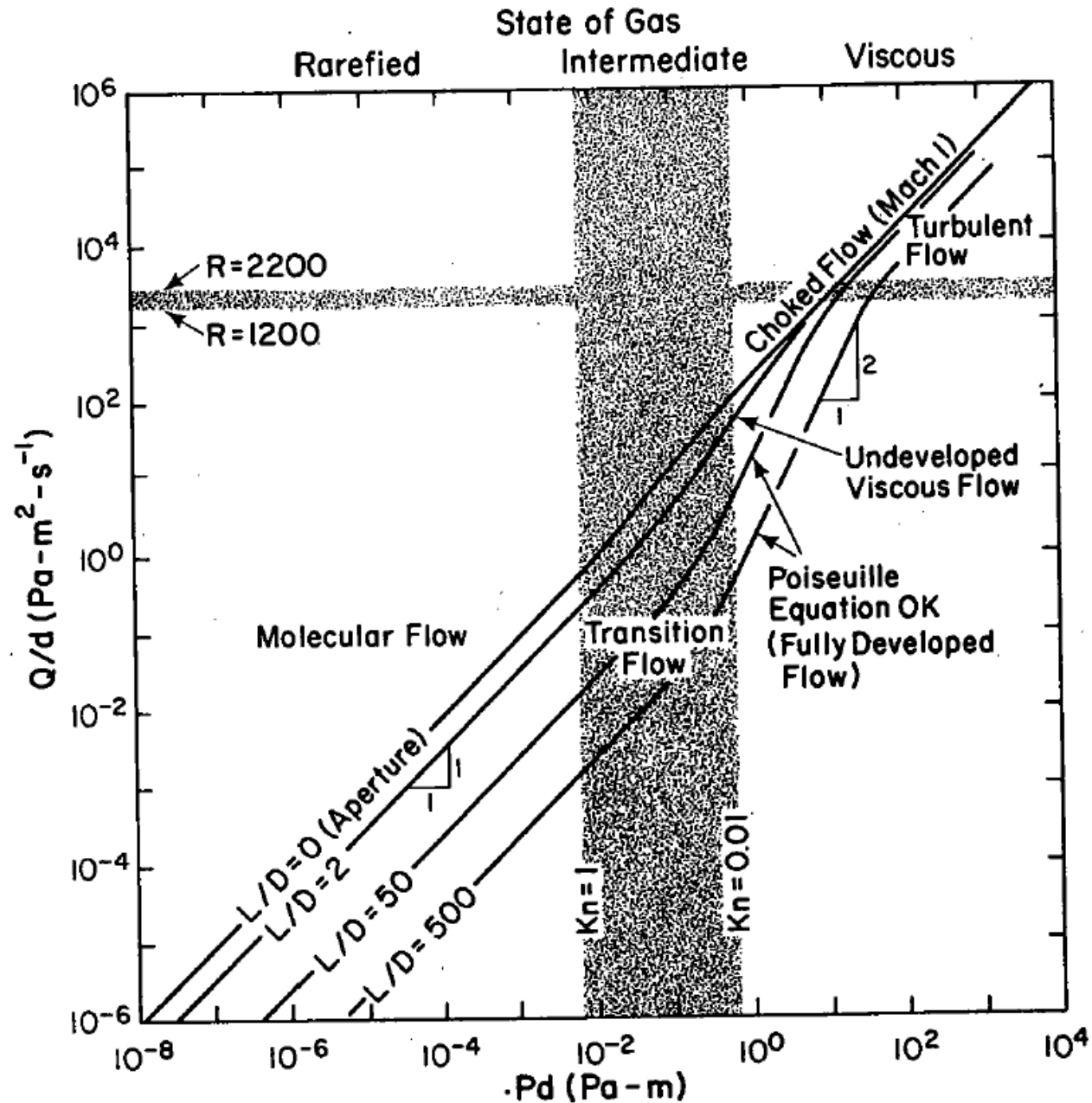
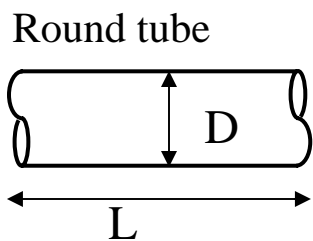


Want: the shortest, straight tubes with largest diameters connected by rounded corners.

Flow Summary

Figure 3.17
O'Hanlon, 2nd Ed.

Figure 3.18
O'Hanlon, 3rd Ed.

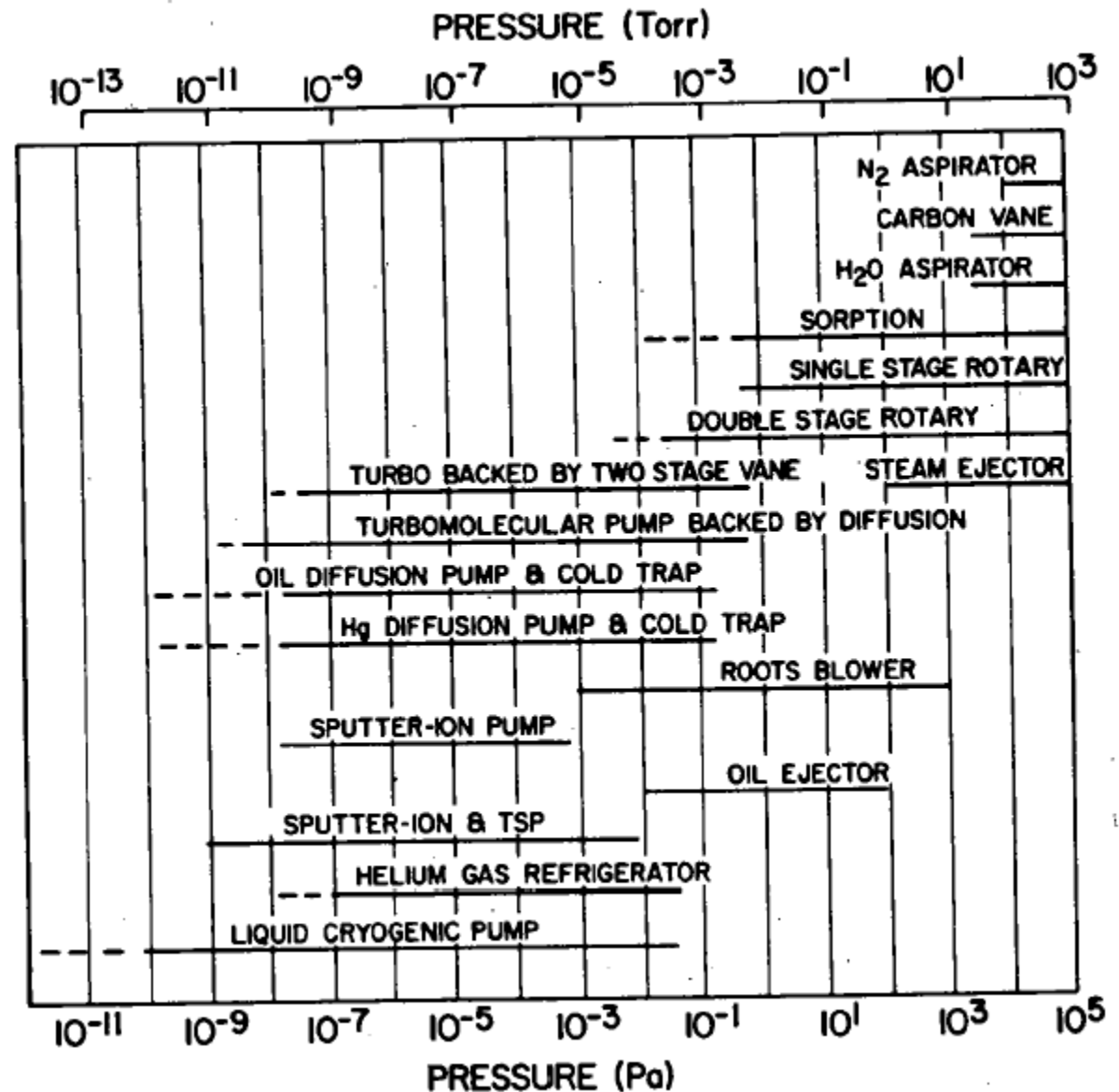


Vacuum Technology, Production –1–

A huge variety of vacuum pumps have been developed over time that use various physical techniques to trap, and in a few cases move, the gas and so are limited to certain pressure ranges.

An important distinction among pumps: Is it sealed or does it have a path from inside to outside during operation?

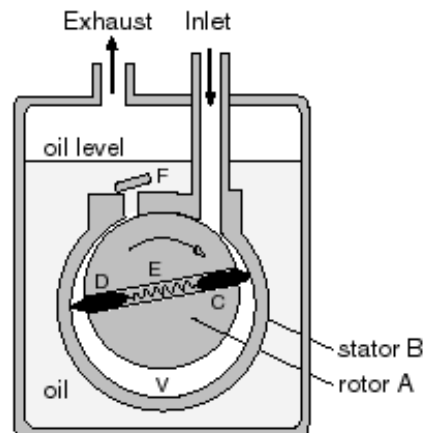
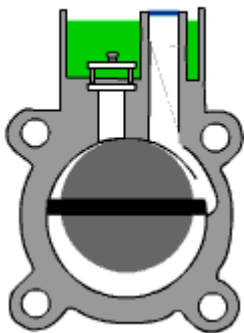
Another distinction is: Are there moving parts or not?



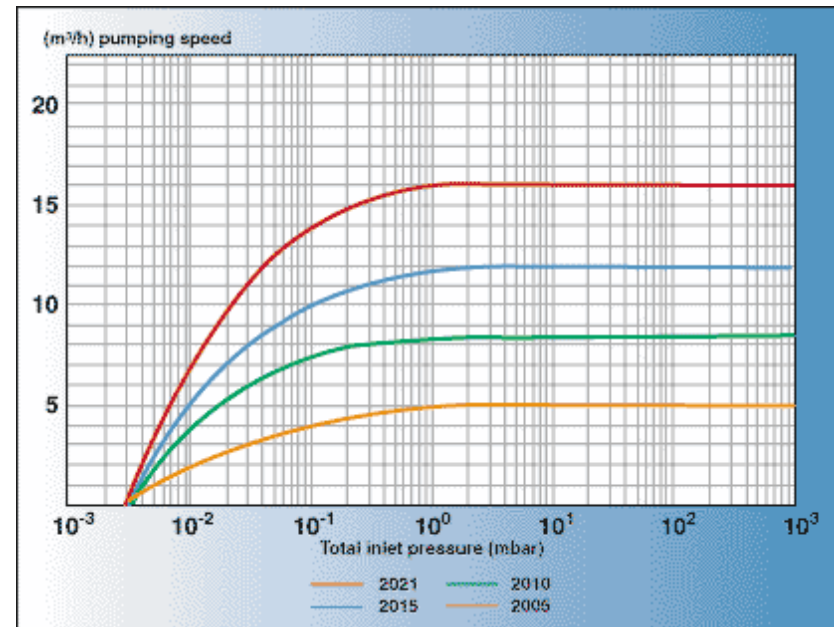
Vacuum Technology, Production –2–

Mechanical pumps: characterized by an eccentric rotor, vanes and stages

Oil-sealed



$$S = \frac{dV}{dt} \approx \frac{\Delta V}{\Delta t}$$



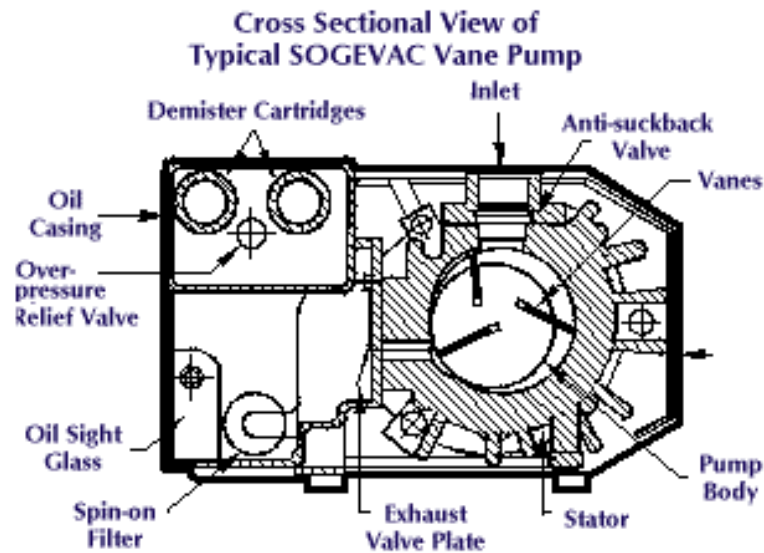
Alcatel Vane pump



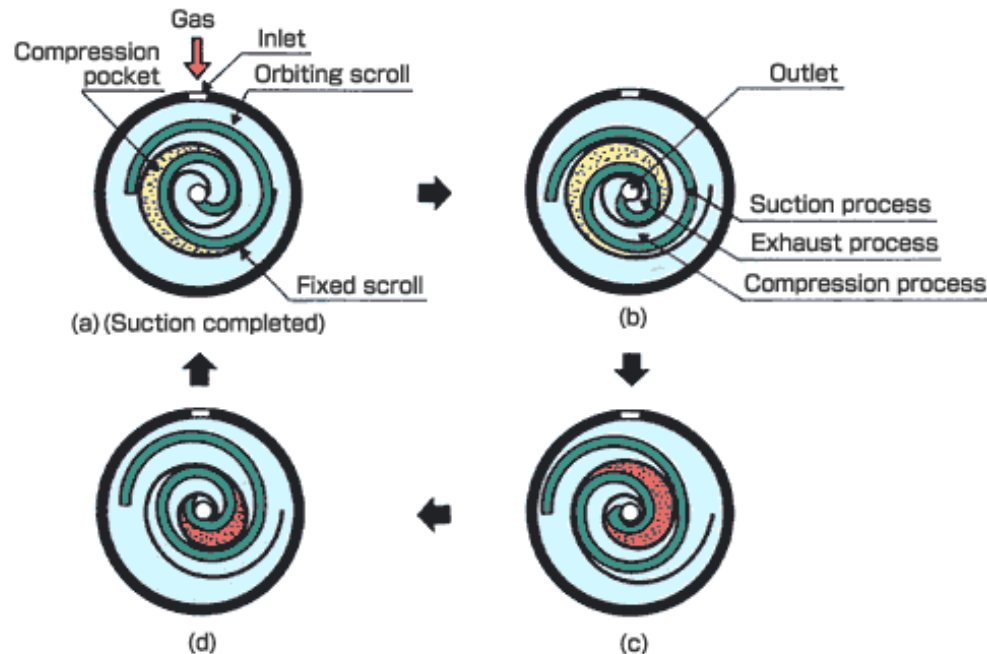
Vacuum Technology, Production –2a–

Mechanical pumps: oil free

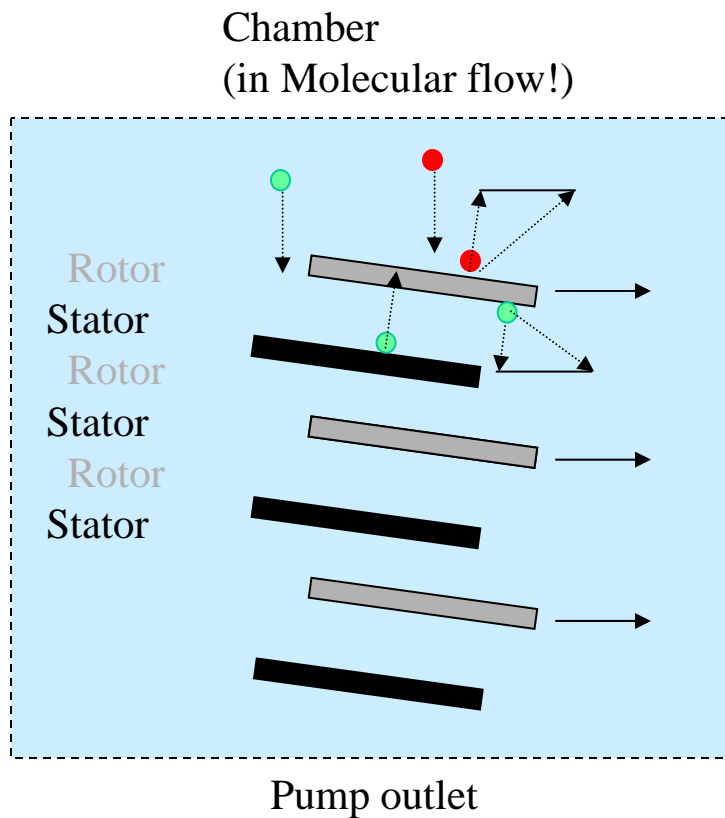
Dry Vane



Dry Scroll

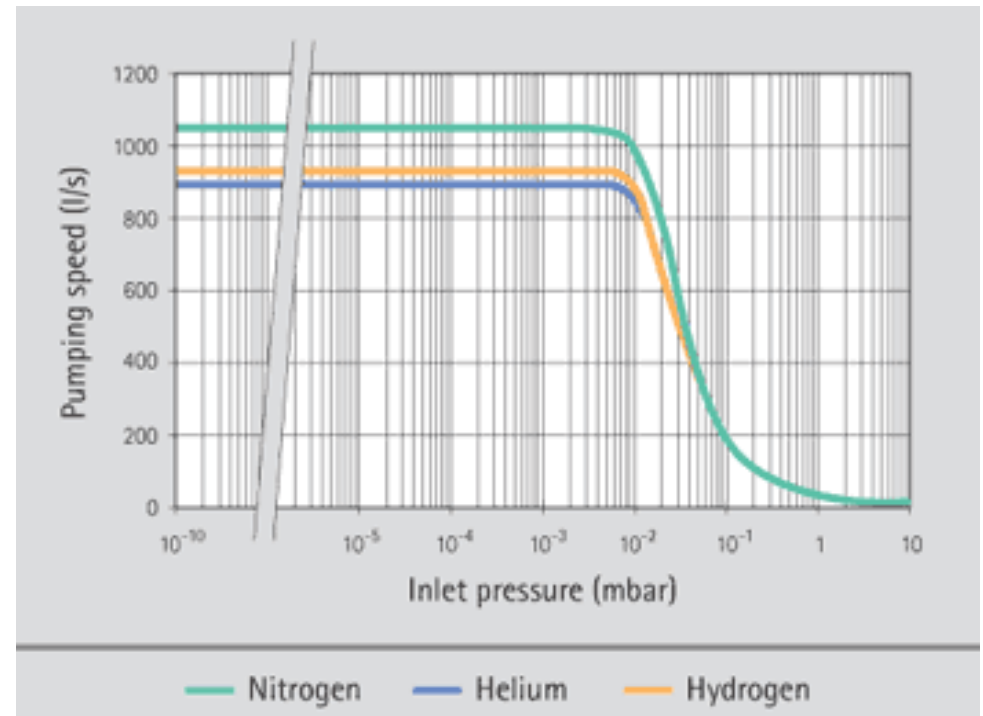


High Vacuum pumps: TMP



$$S_{\max} < C_{\text{aperture}} / 2$$

Speed drops with the gas velocity



Varian Turbo-V 1001



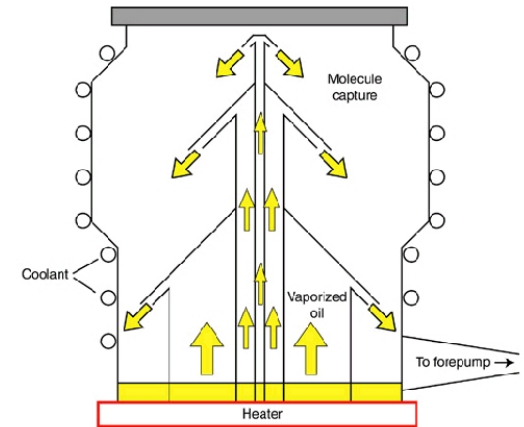
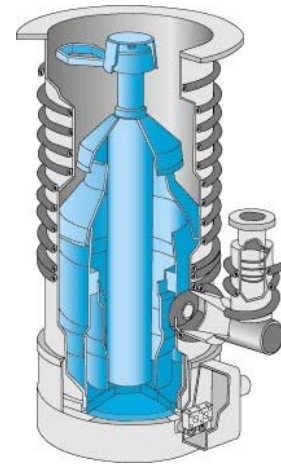
High flow



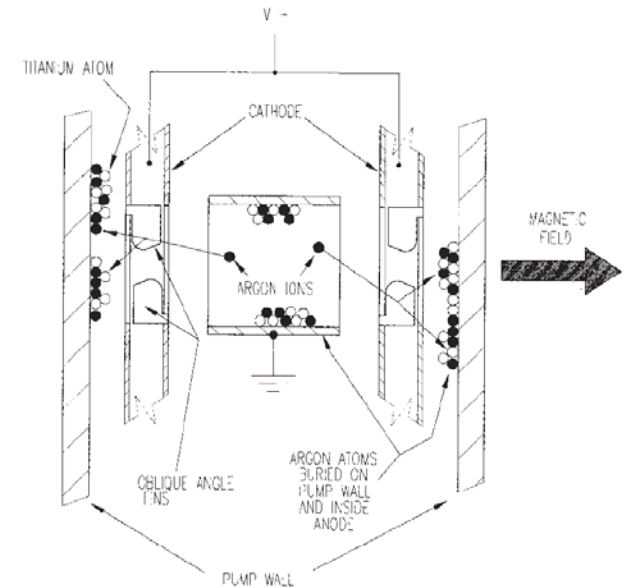
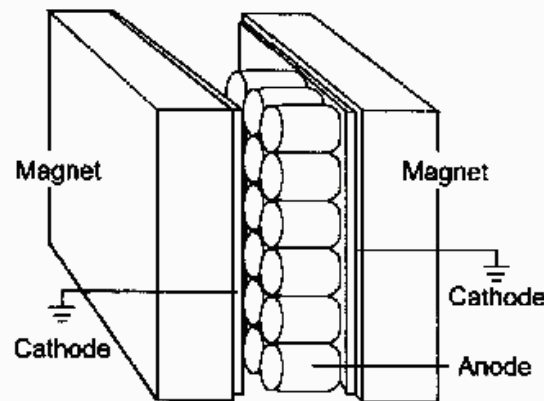
High Compression

High Vacuum pumps: Diffusion pumps

Hot oil-filled, need cold traps
Highest pumping speeds for He
No real limit to size



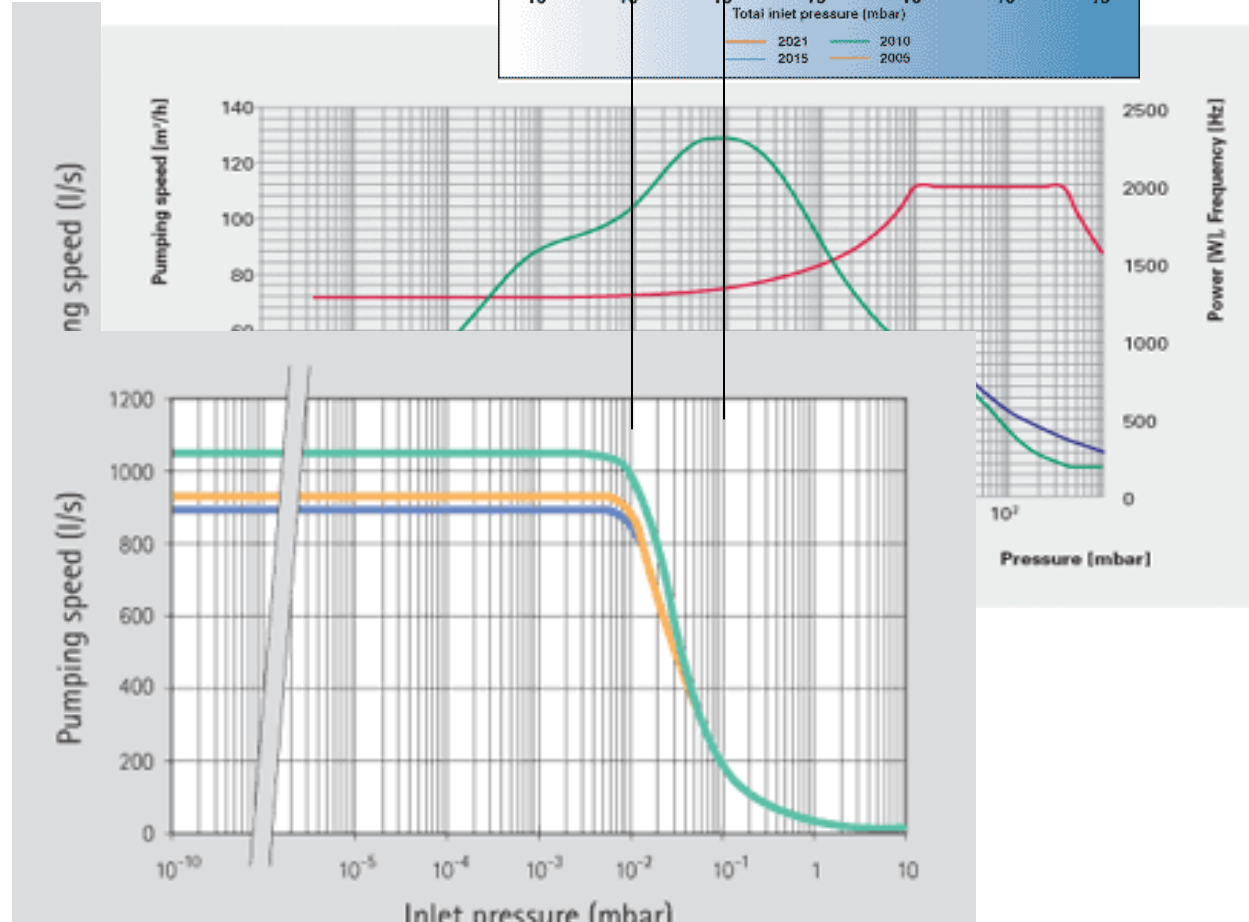
High Vacuum pumps: Ion pumps – closed system



Vacuum Technology, Production –5–

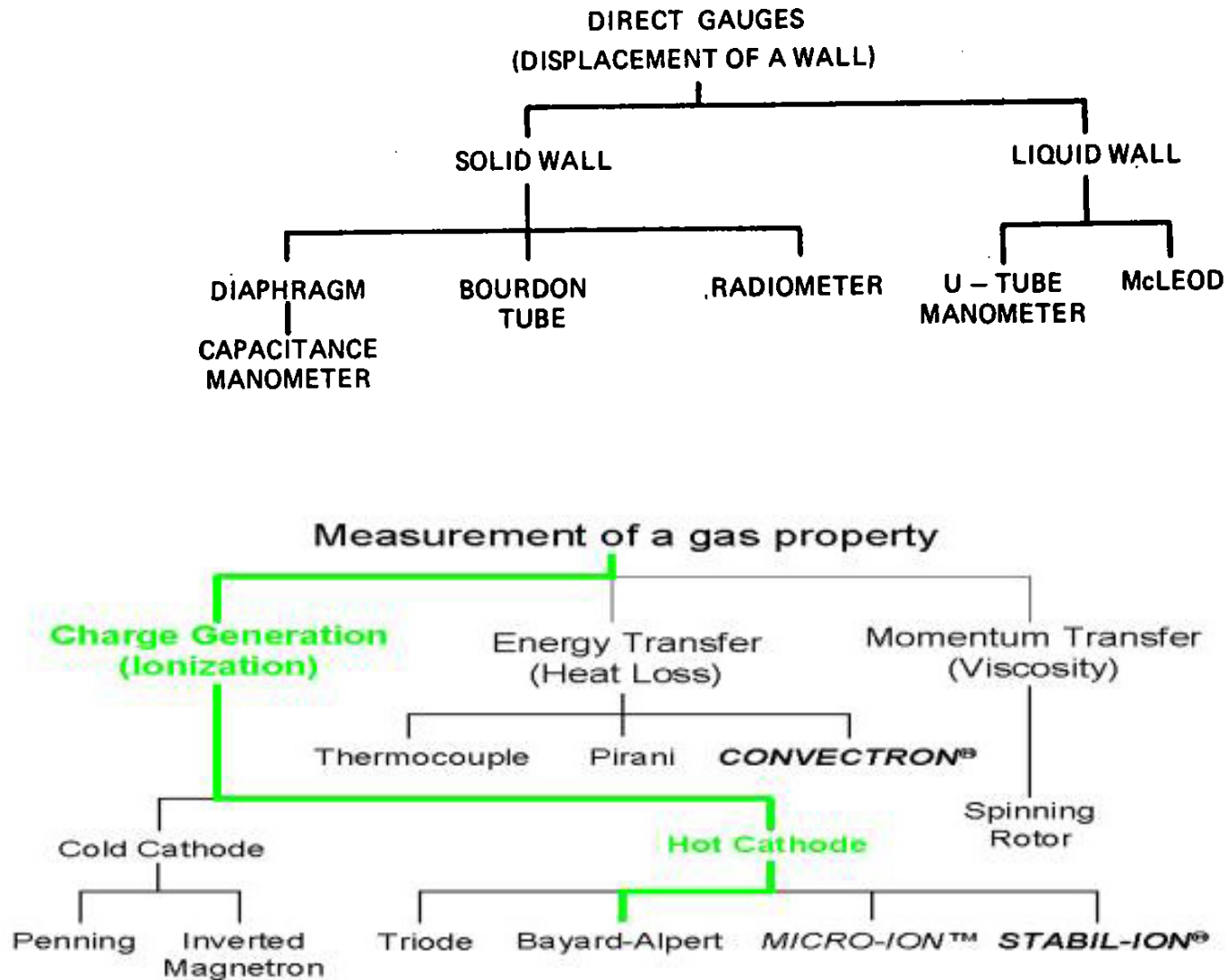
The problem of Cross-over from the mechanical pump to the high vacuum pump:

Pumping speed



Categorization of Vacuum Gauges

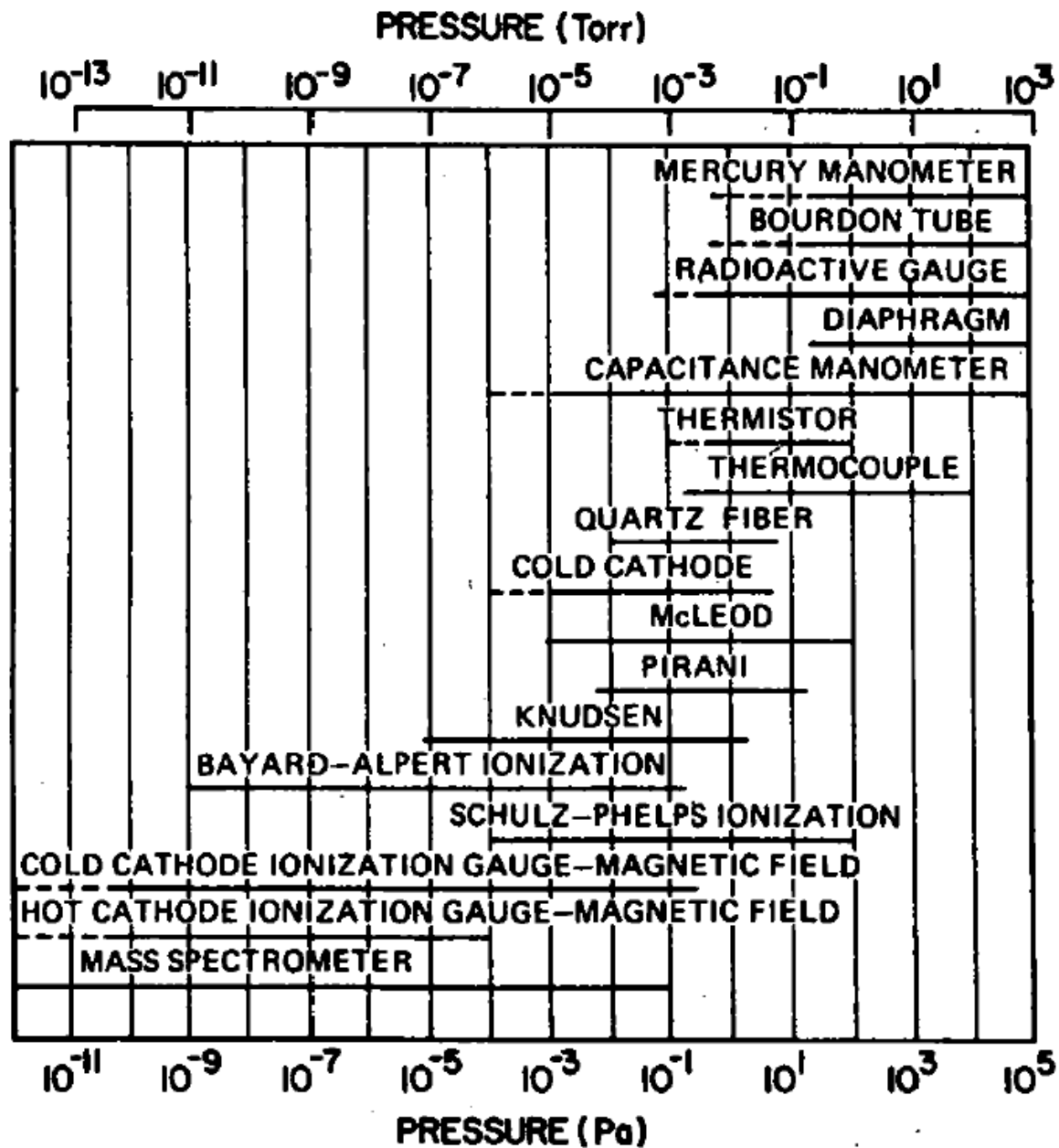
Figure 5.1
O'Hanlon,
2nd or 3rd Ed.



Vacuum Technology, Measurement –2–

Ranges of Vacuum Gauges

Figure 5.2
O'Hanlon, 2nd Ed.



Vacuum Technology, Measurement –3–

High pressure:

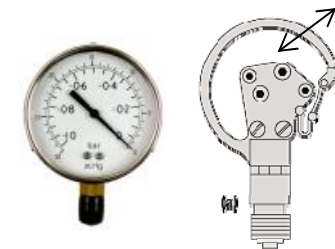
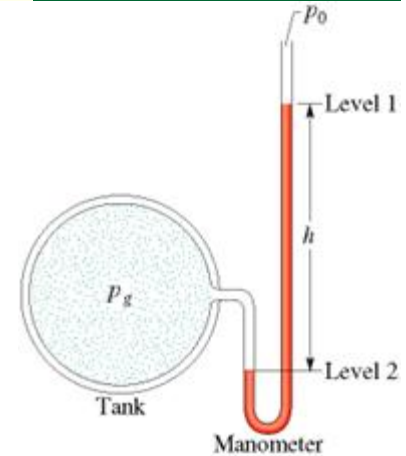
Mechanical or Moving wall

Liquid wall – classical manometer, key feature is the density of the liquid, low pressure limit is set by the vapor pressure of the liquid, p_0 , and small differences in column heights.

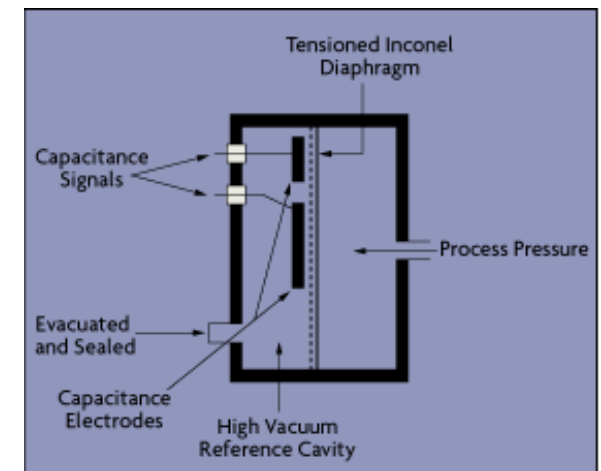
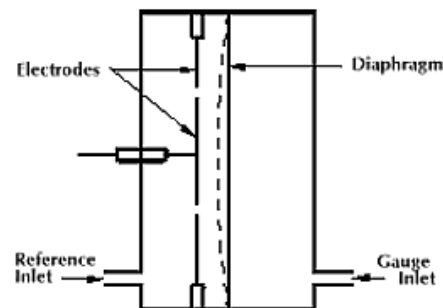
Solid wall – key feature is stiffness of the metal wall (tuned to the pressure region), low pressure limit due to small physical motion.

Bourdon tubes measure relative to external pressure connected to a mechanical gauge.

Capacitance manometers, Electronic readout, compatible with UHV



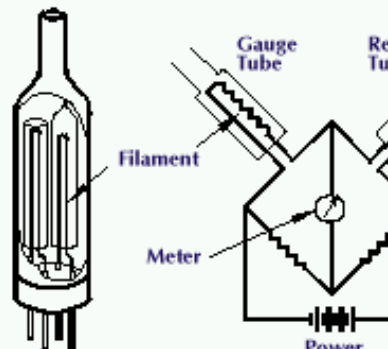
MKS device



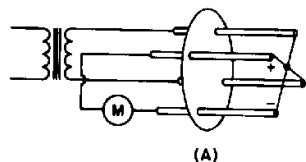
Vacuum Technology, Measurement –4–

Medium pressure: measure heat transport

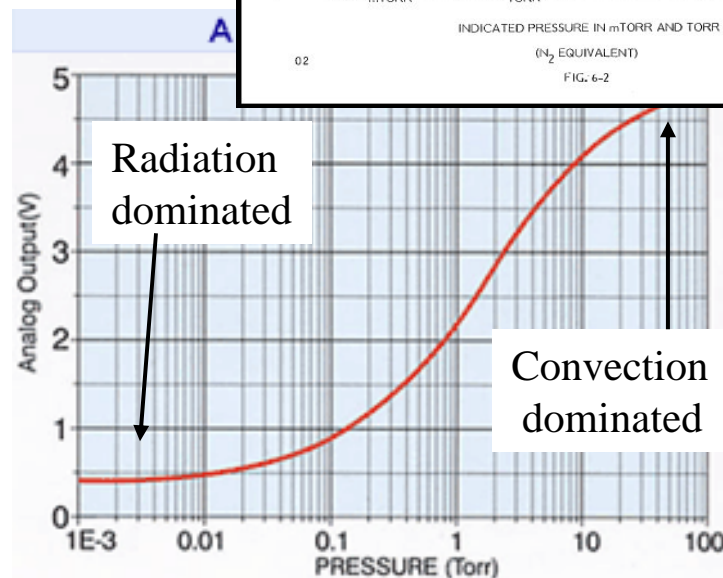
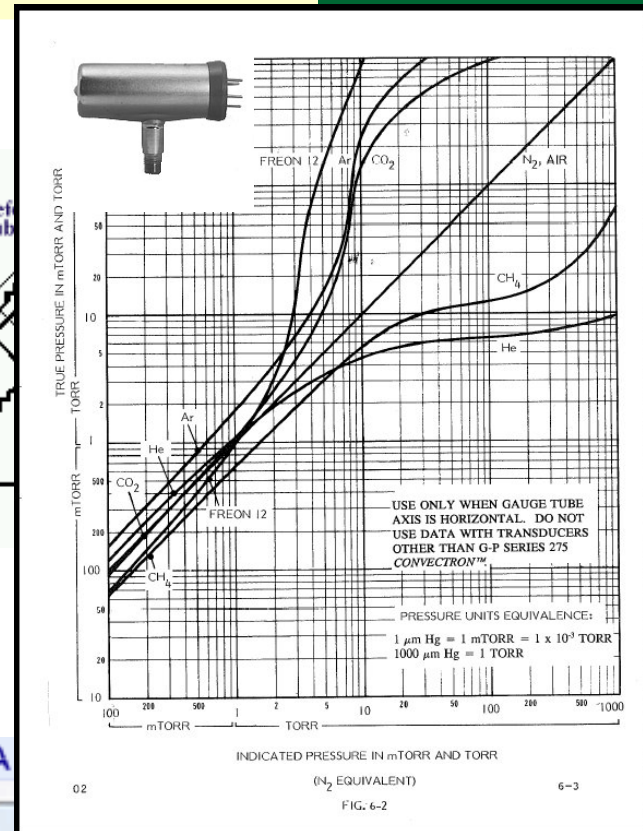
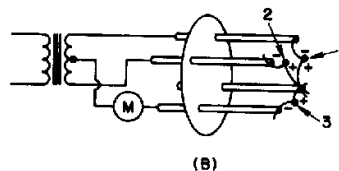
Pirani gauge – thermal transpiration



Thermocouple gauge – simple TC



or Compensated Hastings Gauge



Vacuum Technology, Measurement –5–

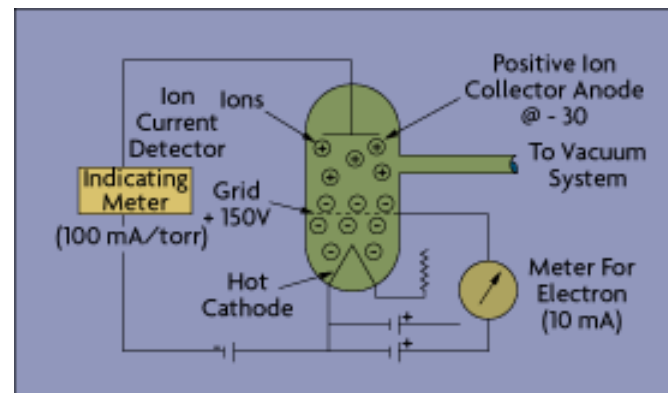
Low pressure: create & measure ion current and thus the ρ_n or number density of the gas (T dependent because $n/V = P/RT$).

Hot filament gauge – hot cathode, Bayard-Alpert ...

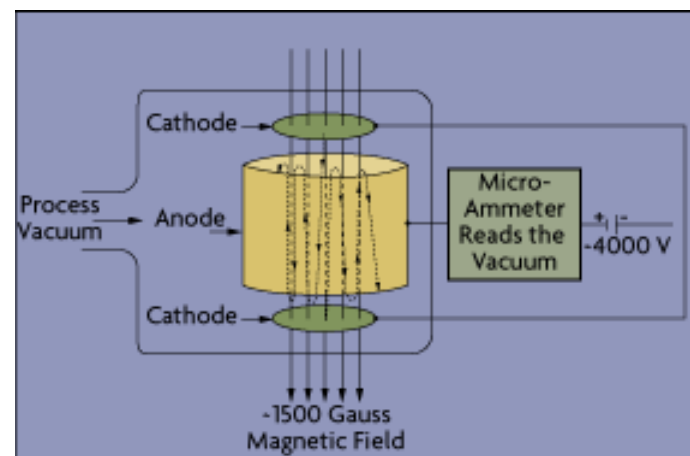


$$I^+ \propto s I^- P$$

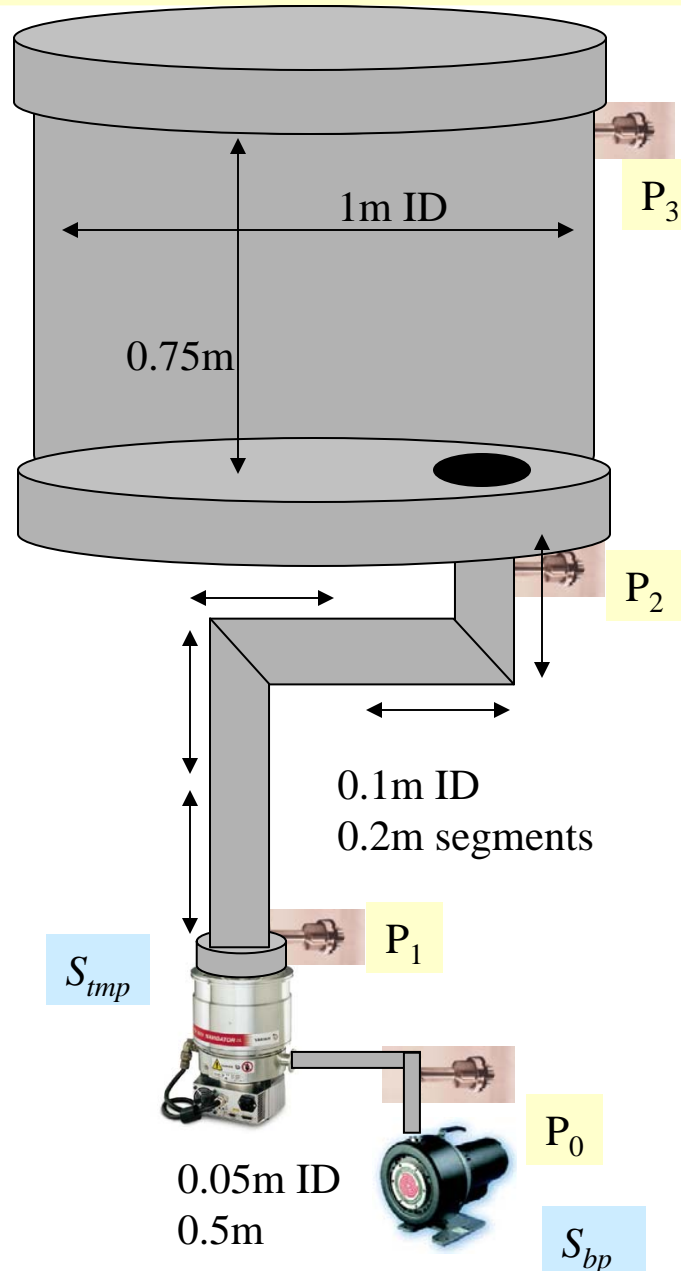
$s \sim 1$ for N_2 , 5 Acetone, 0.2 He



Cold filament gauge – cold cathode, inverted magnetron



Vacuum Technology, Simple System –1–



Complete system: Molecular Flow & no leaks!

SS chamber, $S_{tmp} = 300$ l/s, ($S_{bp} = 200$ l/min)

$$q_{SS} \sim 2 \times 10^{-5} t^{-1.3} \text{ (W / m}^2\text{)} \quad Q_{off-gas} = q_{SS} A_{Total}$$

$$Q_{off-gas} \sim 2 \times 10^{-5} \left[\underbrace{\pi(0.5)^2}_{\text{Top}} + \underbrace{2\pi(0.5)0.75}_{\text{Wall}} + \underbrace{\pi(0.5)^2}_{\text{Bottom}} + \underbrace{\pi(0.1)1}_{\text{Pipe}} \right]$$

$$Q_{off-gas} = 7 \times 10^{-5} t^{-1.3} \text{ W}$$

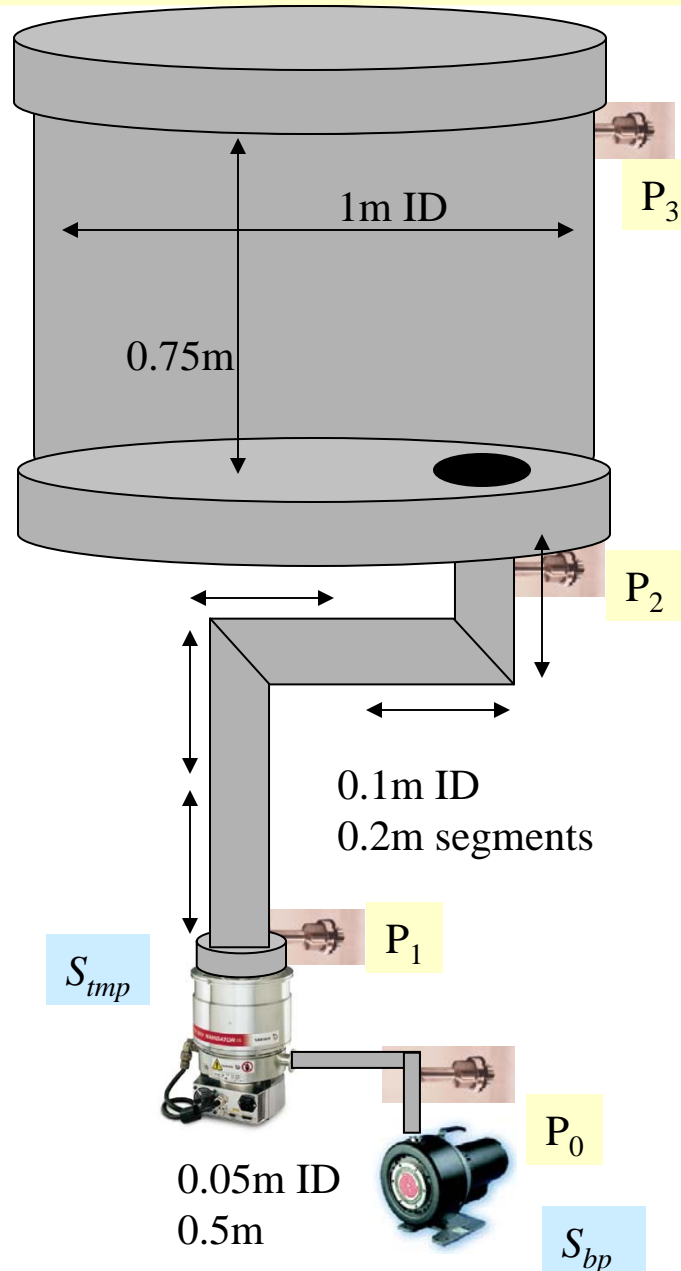
Pump entrance: P_1 [ignoring time dependence]

$$Q_{off-gas} = P_1 S_{tmp}$$

$$P_1 = \left(\frac{7 \times 10^{-5} \text{ W}}{300 \text{ l/s} * 10^{-3} \text{ m}^3 / \text{l}} \right) = 2.4 \times 10^{-4} \text{ Pa}$$

$$760 \text{ torr} / 101,325 \text{ Pa} \rightarrow P_1 = 1.8 \times 10^{-6} \text{ torr}$$

Vacuum Technology, Simple System –2–



Complete system: no leaks!

SS chamber, $S_{tmp} = 300 \text{ l/s}$, ($S_{bp} = 200 \text{ l/min}$)

$$P_1 = 2.4 \times 10^{-4} \text{ Pa} \rightarrow 1.8 \times 10^{-6} \text{ torr}$$

Chamber entrance: P_2

$$Q_{off-gas} = C(P_2 - P_1) \rightarrow P_2 = P_1 + \left(\frac{Q_{off-gas}}{C} \right)$$

$$C_{line} \sim 103. \text{ l/s} \quad (C_{aperture} \sim 910 \text{ l/s})$$

$$P_2 = 2.4 \times 10^{-4} \text{ Pa} + \left(\frac{7 \times 10^{-5} \text{ W}}{0.103 \text{ m}^3 / \text{s}} \right) = 9.2 \times 10^{-4} \text{ Pa}$$

$$P_2 = 6.9 \times 10^{-6} \text{ torr}$$

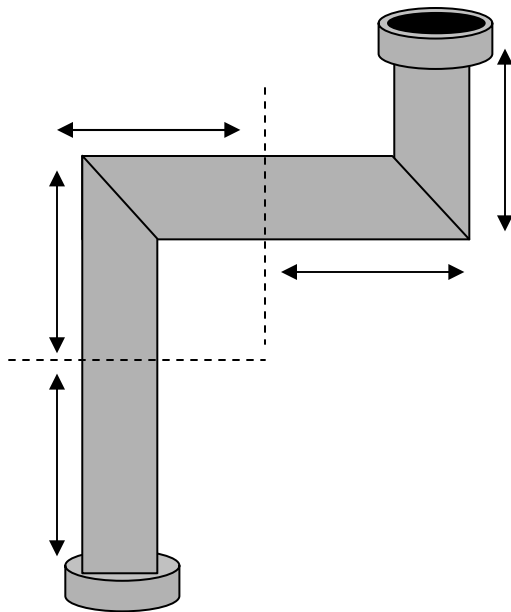
Effective Speed: S_{eff}

$$\frac{1}{S_{eff}} = \frac{1}{C} + \frac{1}{S_{tmp}} \rightarrow \frac{1}{103} + \frac{1}{300} \sim \frac{1}{77}$$

Conductance in Molecular Flow

Oatley Method to combine conductances

0.1m ID, i.e., $r = 0.05$ m
0.2m segments



$$C = a C_{\text{aperature}} \\ = a Av/4 \text{ where "a" is a transmission coefficient}$$

$$(1 - a) / a = (1 - a_1) / a_1 + (1 - a_2) / a_2 + (1 - a_3) / a_3 + \dots$$

Two elbows with $L=0.2$ m arms, $L/r=4$, $a_1 = a_2 = 0.35$
One pipe with $L=0.2$ m, $L/r=4$, $a_3 = 0.25$

$$(1 - a) / a = 0.75/0.25 + 0.75/0.25 + 0.65/0.35$$

$$(1 - a) / a = 7.86$$

$$a = 0.113$$

$$C = 0.113 * 11.6 \text{ A l/s-cm}^2, \quad A = \pi (5)^2$$

$$C = 0.113 * 911. \text{ l/s} = 103 \text{ l/s}$$

Vacuum Technology, System Summary

Complete system:

Chamber: materials – unless you are very careful, off-gassing generally determines the lowest pressure the system will attain.

Chamber: seals – better know as “leaks”

Pumps: speed – depends on the design, gas, and pressure. Is higher pumping speed always the best answer?

Pipes & valves: conductance – limited by size and shape of plumbing and is probably the most ignored concept in vacuum technology.

Gauges & pressure: measurement principle? – range is limited by technique and is probably the most over interpreted aspect of vacuum technology.