

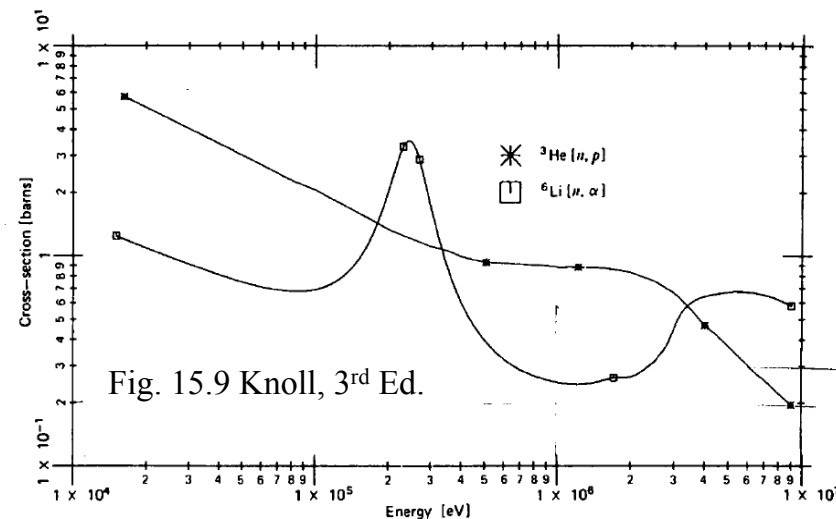
Chap. 15 – Fast Neutron Detection

All neutron detection relies on observing a neutron-induced nuclear reaction.

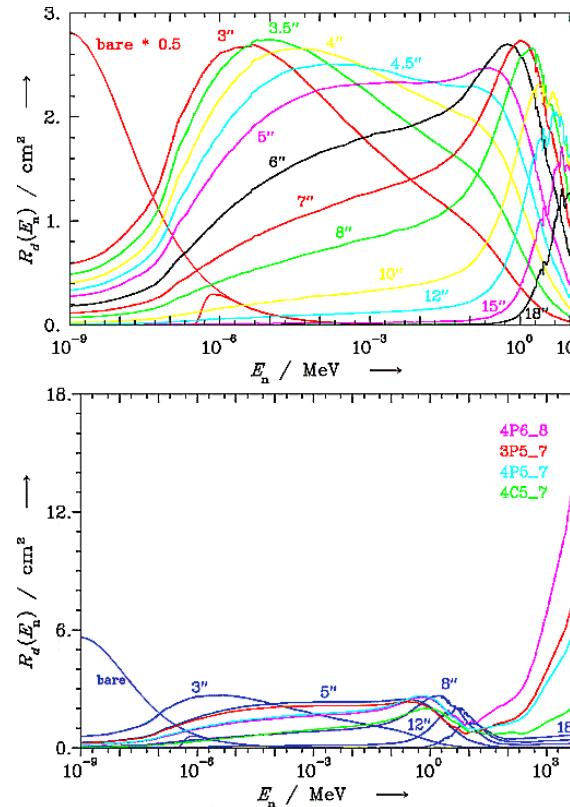
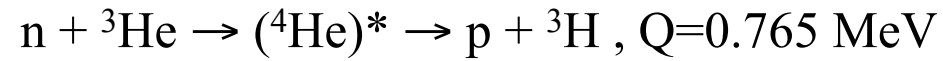
The capture cross sections for fast-neutron induced reactions are small compared to those at low energies (in the limit: geometric with resonances).

Two approaches to detect fast neutrons:

- thermalized & capture which only provides a “count”
- Elastic scatter from protons at high energy – observe recoils for ToF techniques.

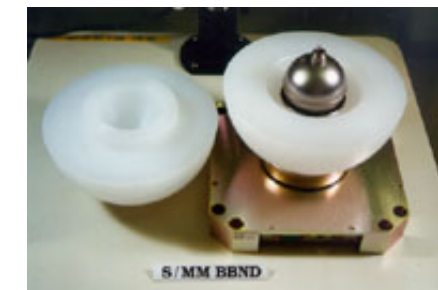


Bonner Spheres – “Counter”



Moderate neutrons in spheres of different sizes and then detect the neutrons in a proportional counter in the center. Add metal for highest energy neutrons ... unfold response to get distribution.

Physikalisch-Technische Bundesanstalt
http://www.ptb.de/en/org/6/65/nemus_details.htm



STS-102 Space Shuttle, six spheres, ${}^3\text{He}$, 6atm

Fast neutron detection: Long Counter

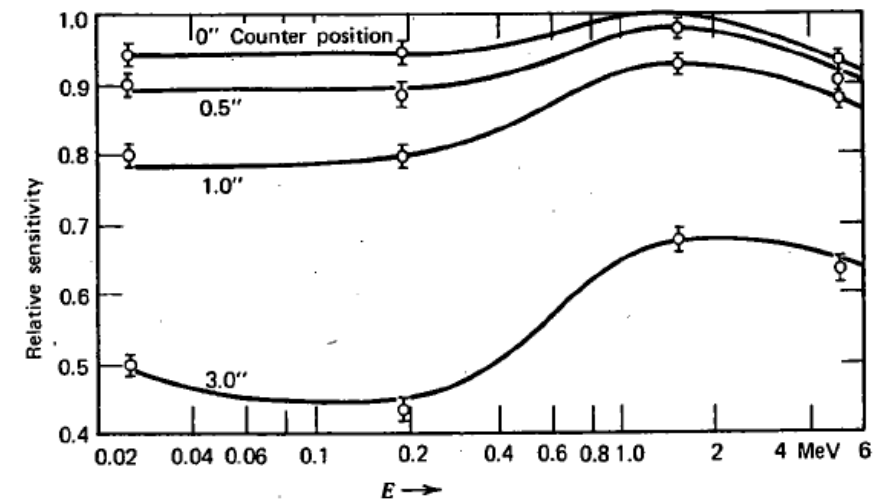
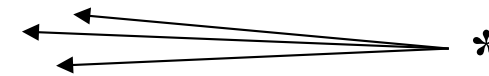
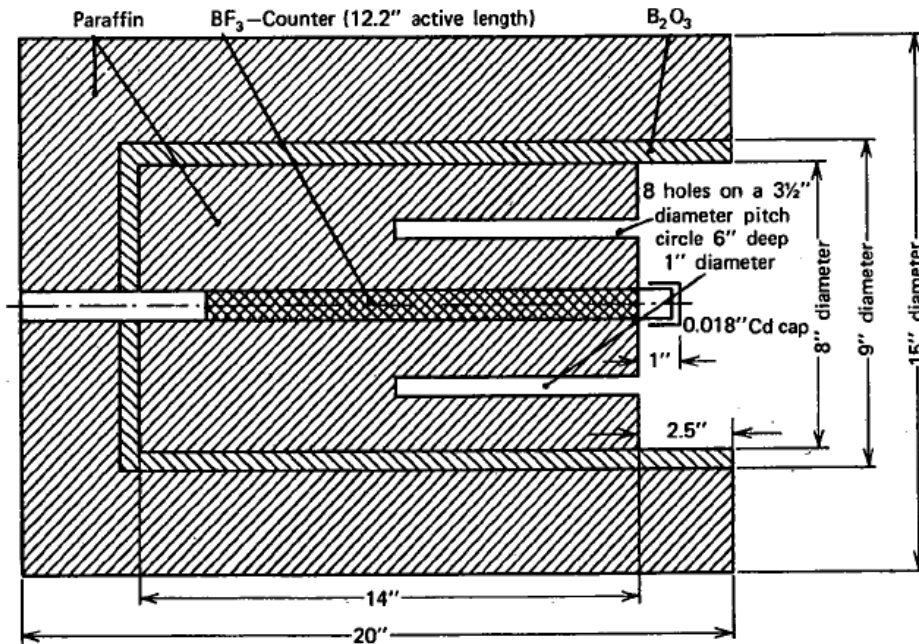
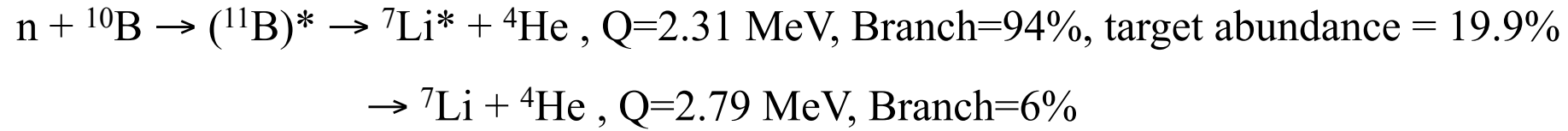
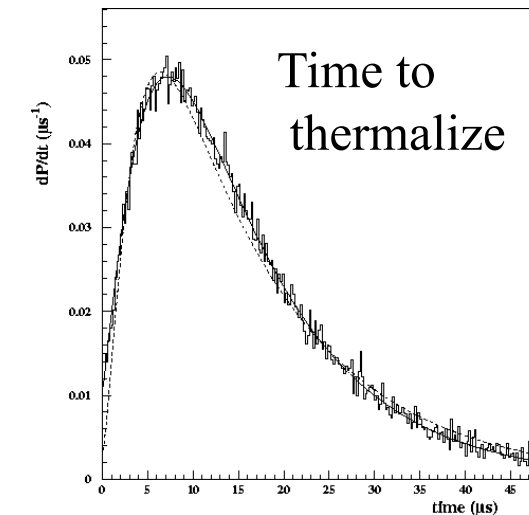
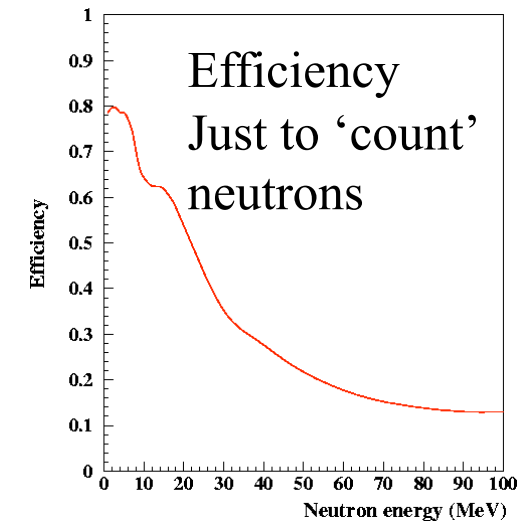
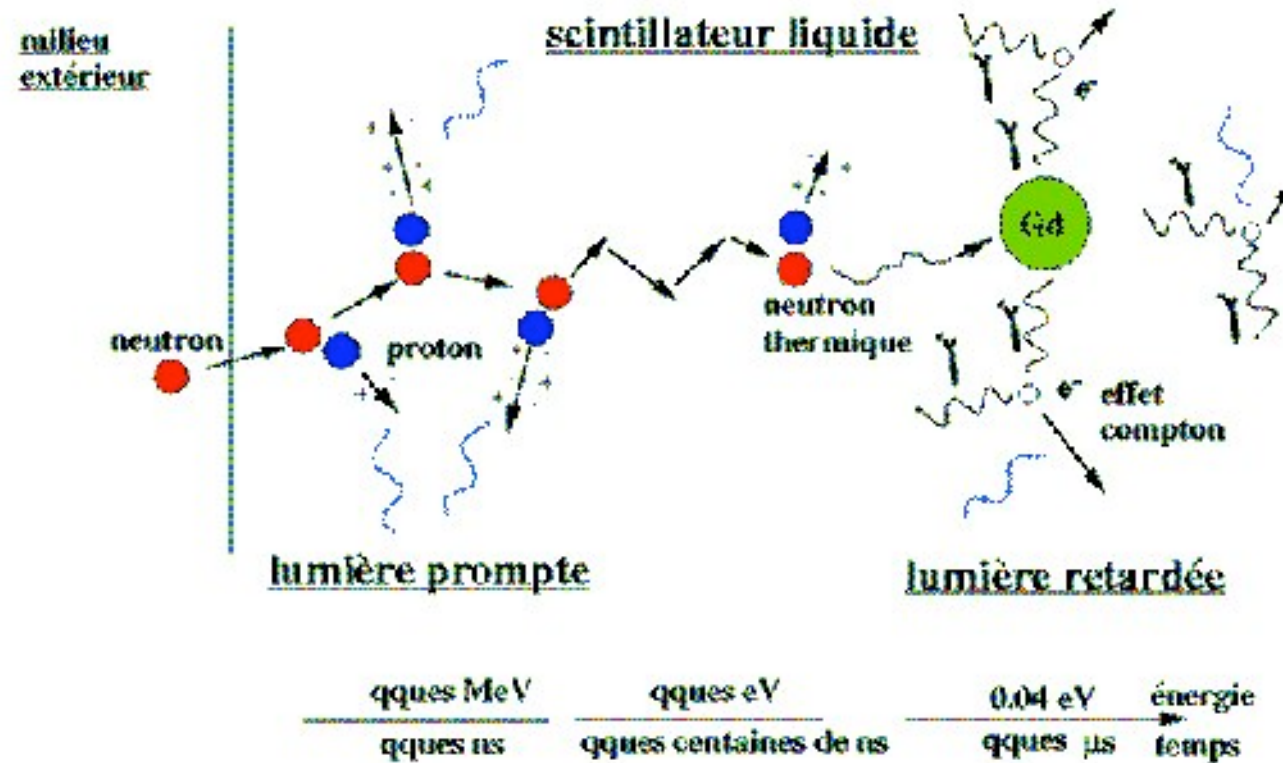


Fig. 15.6 Knoll, 3rd Ed.

NSCL Bucket neutron detectors use BF_3 (1" diameter, 4" long, 400Torr) in a paraffin filled container.

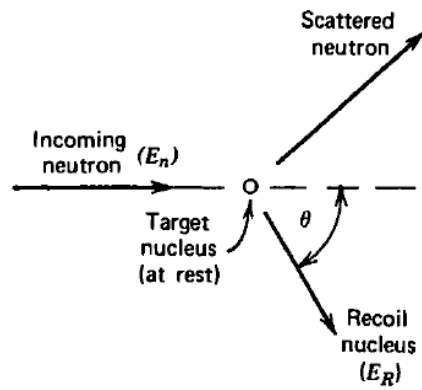


Gd-loaded Liquid Scintillator – “Counter”



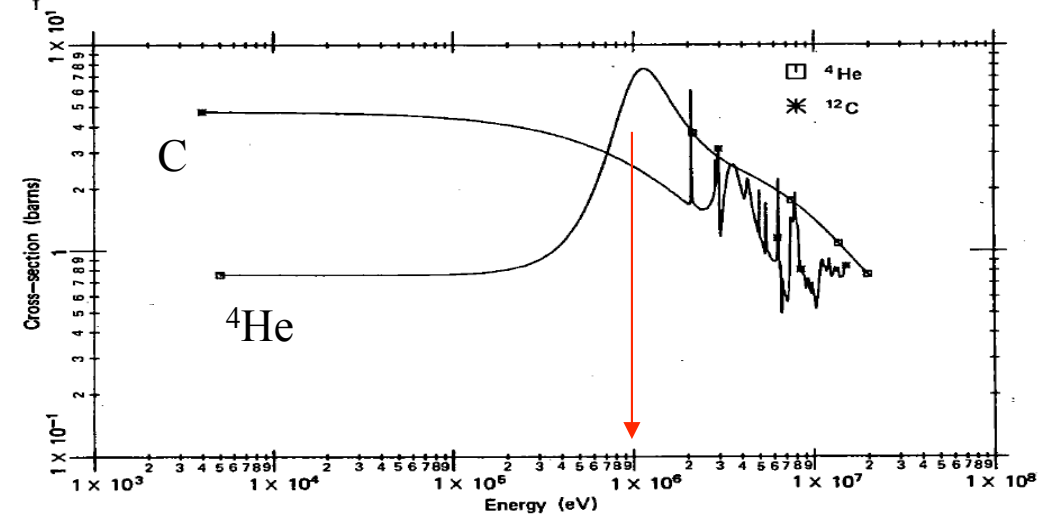
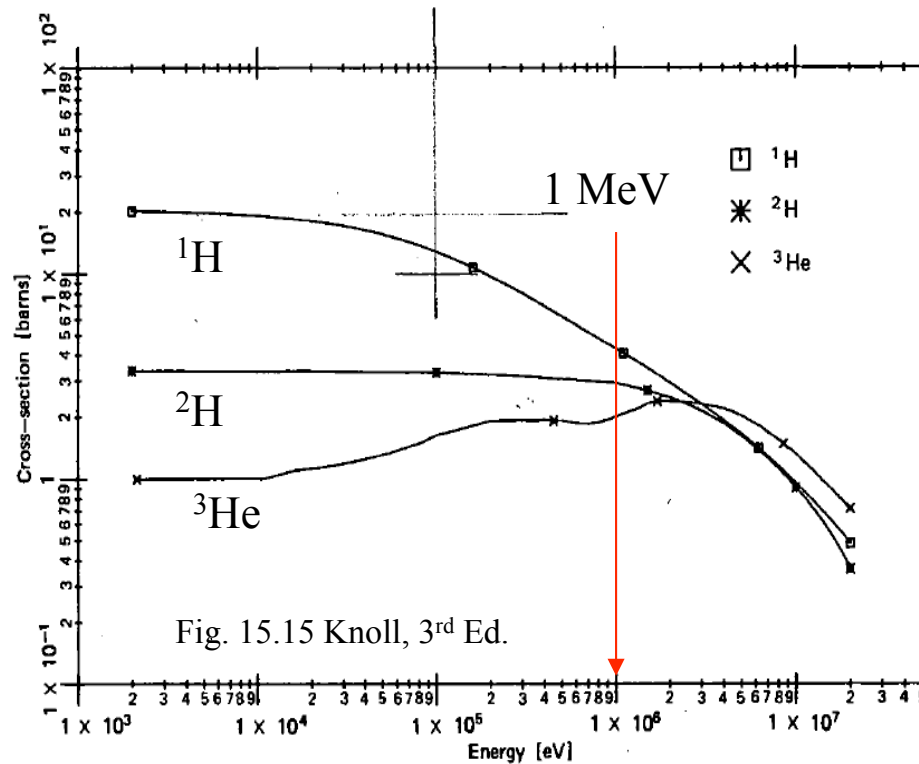
“ORION” detector at GANIL , similar to “superBall” at NSCL (both decommissioned)

Fast Neutron Detection: Scattering

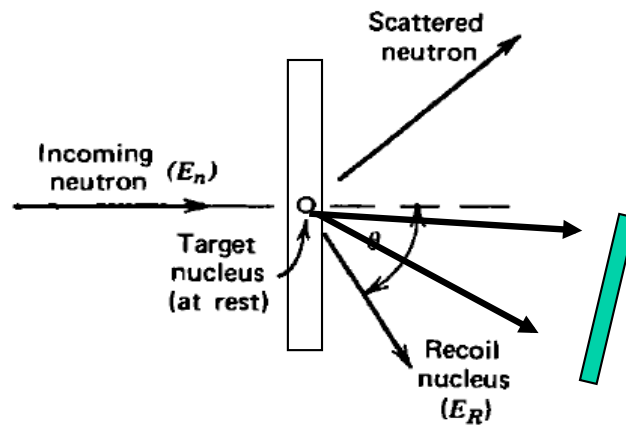


$$\frac{E_R}{E_n} = \frac{4A}{(1+A)^2} \cos^2 \theta_{lab} \quad \text{max at } \theta_{lab} = 0^\circ$$

Tgt	A	$4A/(1+A)^2$
^1H	1	1
^2H	2	$8/9=0.889$
^4He	4	$16/25=0.64$
^{12}C	12	$48/169=0.284$



Fast Neutron Detection: Absorption



Proton-radiator telescope: Target allows protons to escape. Target thickness has to be consistent with the $\Delta E/\Delta\theta$ of the recoil angular distribution.

20 MeV n .. Scatters and gives protons
 10 MeV p in CH₂ .. $dE/dx \sim 30 \text{ MeV/g/cm}^2$

$$E_p = E_n \cos^2\theta \quad \Delta E_p = E_p(\theta) - E_p(0)$$

$$\Delta E_p = E_n [1 - \cos^2\theta]$$

$$\Delta E_p = E_n \sin^2\theta \quad (\sim 3\% \text{ for } 0-10^\circ)$$

Energy loss must be less than change with angle

$$\Delta x \sim \Delta E_p / (dE/dx) = 0.03 * 20 \text{ MeV} / 30 \text{ MeV/g/cm}^2$$

$$\Delta x \sim 0.02 \text{ g/cm}^2$$

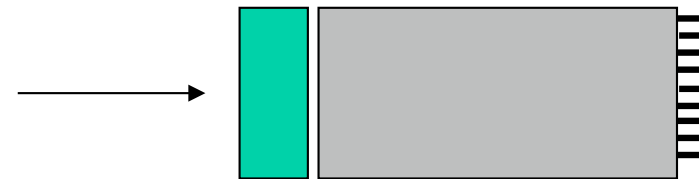
Efficiency is set by thickness

$$n \Delta x \sim (2 * 6 * 10^{23} / 14) * 0.02 = 1.7 * 10^{21} / \text{cm}^2$$

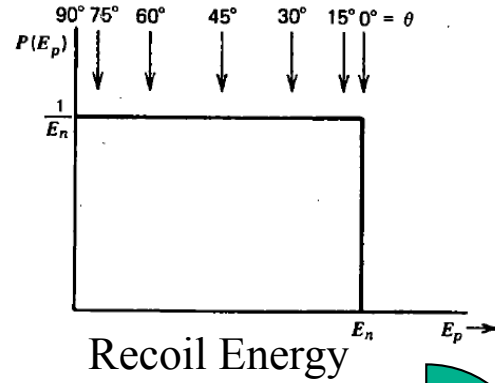
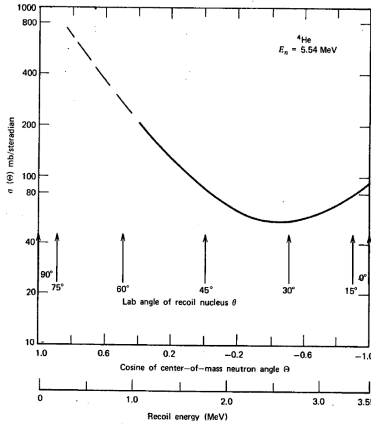
$$\sigma(E=20 \text{ MeV}) = 0.4 \text{ b}$$

$$\epsilon = 1 - e^{-(n \Delta x \sigma)} = 7 * 10^{-4}$$

Give up! Use a thick plastic scintillator .. 10 cm $\epsilon \sim 0.2$



Fast Neutron Detection: Scattering Pulse Height



$^{12}\text{C}(n,n')$ cross section has a modest angular distribution .. Small energy dependence on recoil angle. The $^1\text{H}(n,n')$ distribution is flat.

Combine and fold with scintillator light output

2.6 MeV neutron
1"x1" stilbene

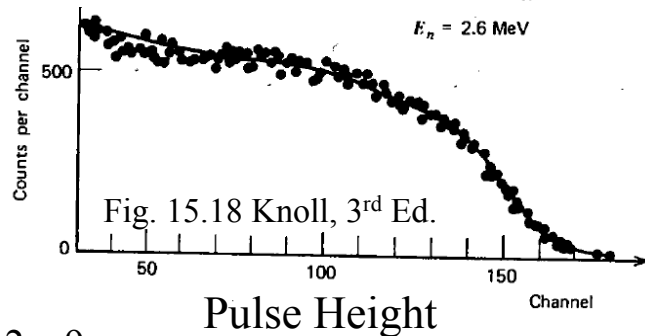
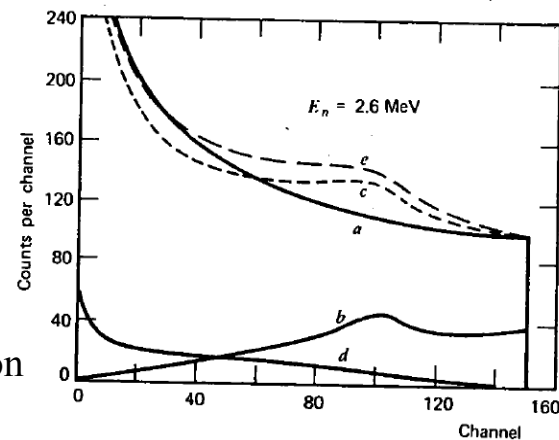
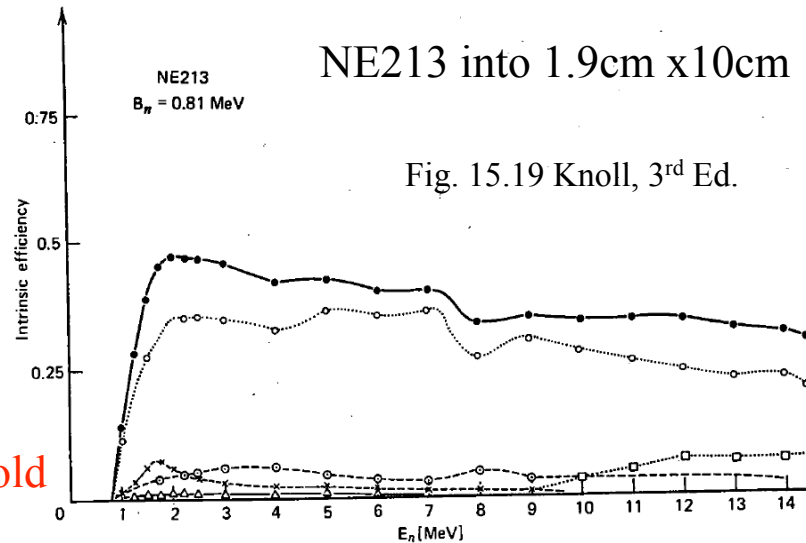


Fig. 15.18 Knoll, 3rd Ed.



Set threshold

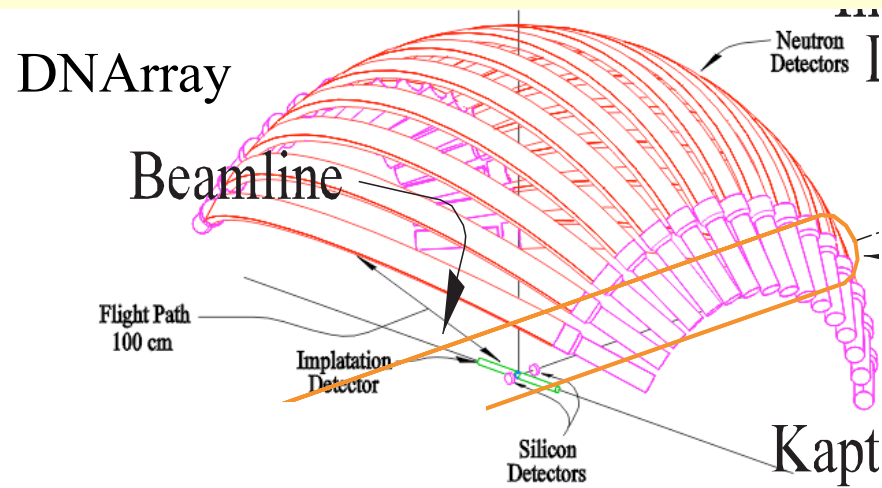


NE213 into 1.9cm x10cm

NE213
 $B_n = 0.81 \text{ MeV}$

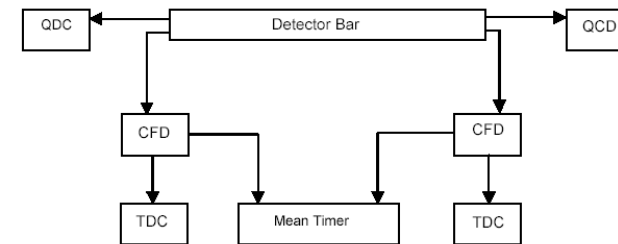
Fig. 15.19 Knoll, 3rd Ed.

Fast Neutron Detection: Arrays



$$E = \frac{m}{2} v^2 = \frac{m}{2} \left(\frac{L}{t} \right)^2 \quad E_n \ll m_0 c^2$$

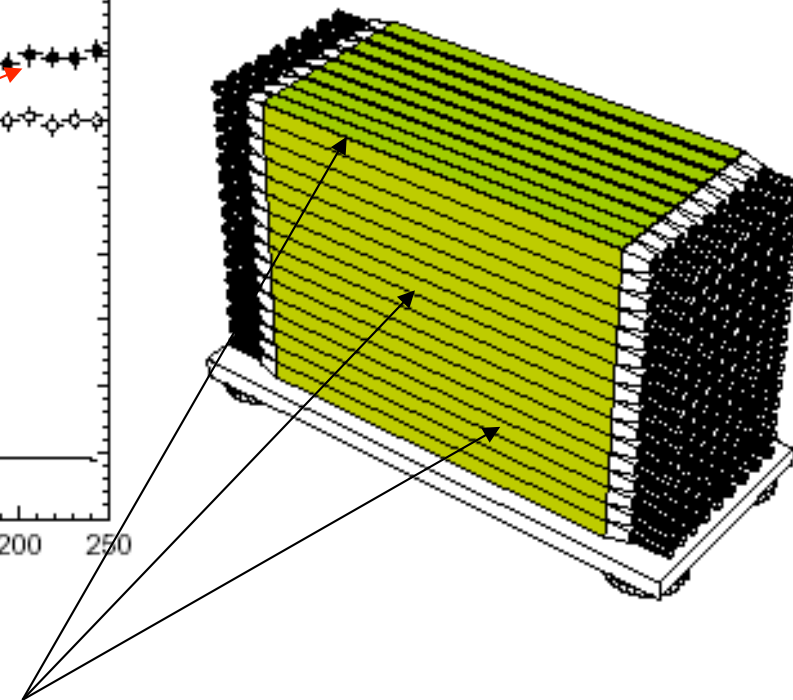
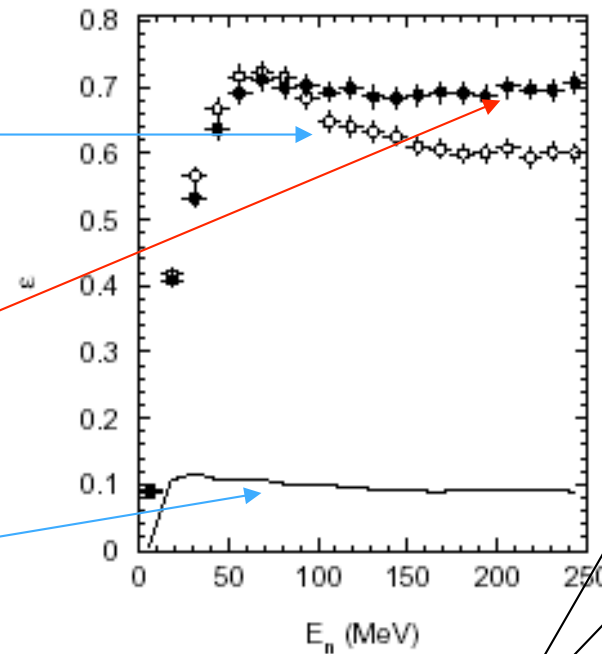
$$\frac{dE}{dt} = \frac{-mL^2}{t^3} \rightarrow \frac{dE}{dt} = \frac{-2E}{t} \rightarrow \frac{dE}{E} = \frac{-2dt}{t}$$



MoNA plastic scintillator
Ten layers – plastic scint.

Add Iron converter layers

NSCL “neutron wall”
One layer of liquid scint.



Chap. 15 – Fast n Detection Question

Estimate the number of photons reaching the end of a MoNA slat from the interaction of a cosmic ray muon passing through the midpoint of the slat. The attenuation length of the slats was found to be 4.2m, the slats are $200 \times 10 \times 10 \text{ cm}^3$, are made from BC-408 scintillator and are readout on the long ends.

