

## Basic Detector Principles

### **Ion Chambers**

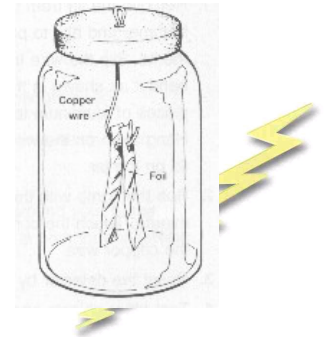
- Current Mode
- Pulse Mode
- signal shape
- Grids
- Examples

## Proportional Counters



# Chap. 5 Ion Chambers – the electroscope

Electroscope: an early device used to study static electricity continues to be used for personal dosimeters. Put a (known) charge on the central electrode, leaves separate, watch the leaves move back together as the charge is neutralized (lost) by collecting gaseous ions.



Create ionization in gas-filled volume:  $t_{\text{creation}} \sim \text{dimension}/c \sim 3\text{cm} / 3 \times 10^{10} \text{ cm/s} \sim 10 \text{ ps}$

Amount of ionization:  $Q \sim (\Delta E / 34 \text{ eV}) 2q_e$

Some properties of oxygen at 25°C, 1 bar

$v_{\text{RMS}} = 480 \text{ m/s}$  ,  $\lambda_{\text{MFP}} = 70 \text{ nm}$

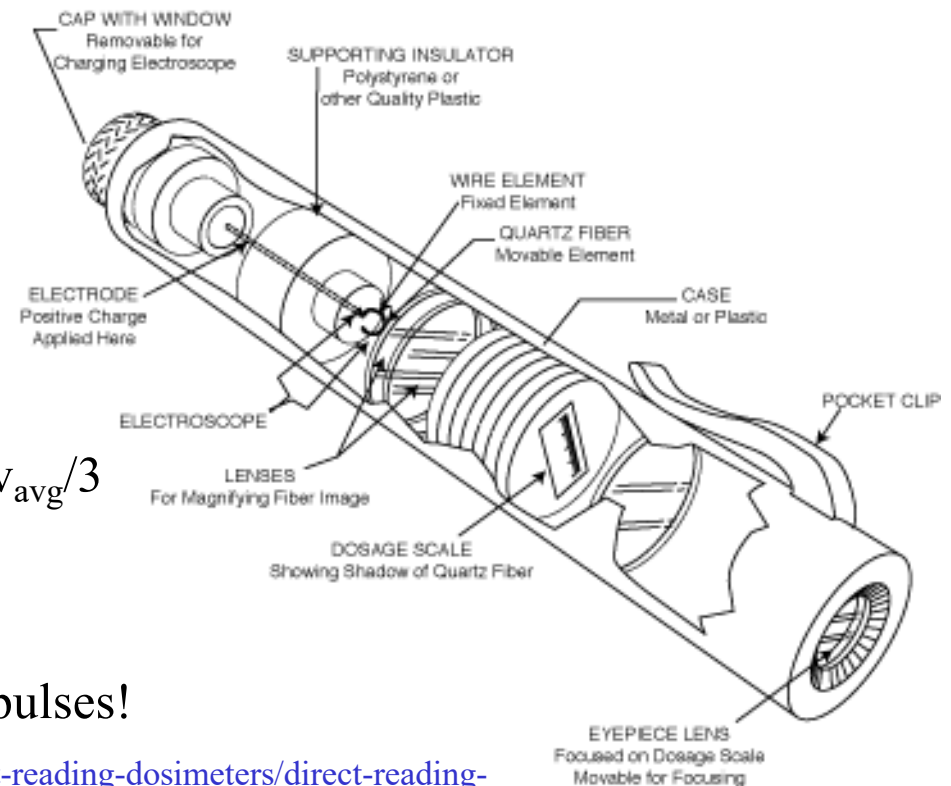
Collision rate:  $Z = v_{\text{RMS}} / \lambda_{\text{MFP}} = 7 \times 10^9 / \text{s}$

No electric field – ions diffuse  $\sigma_x^2 = 2Dt$

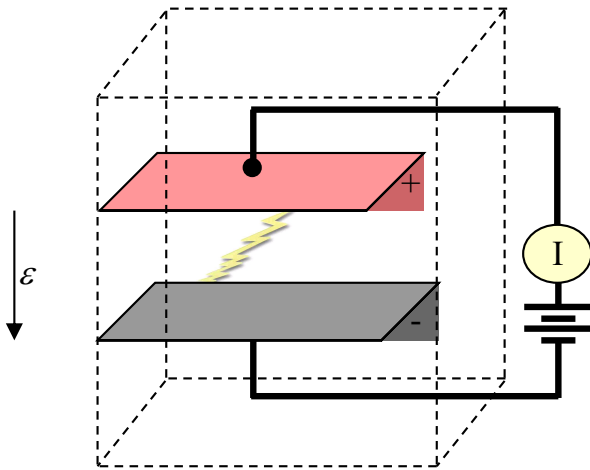
Diffusion coefficient for one dimension:  $D = \lambda_{\text{MFP}} v_{\text{avg}}/3$

$\sigma_x^2 = 2 (\lambda_{\text{MFP}} v_{\text{avg}}/3) * t \rightarrow \sigma_x \sim 0.005 \text{ (m)} * \sqrt{t} \text{ in s}$

Maybe Ok for dose measurement, not so good for pulses!



# Ion Chambers – Drift ions



Two parallel plates, ions will drift towards plates between collisions with the fill-gas. These collisions randomize the velocity and restart drift.

$$v_{\text{drift}} = K \varepsilon ; K = eD / k_B T = \mu/p , \mu \text{ is ion mobility}$$

$$\text{e.g., } O_2^- (\mu/p) = 2.5 \times 10^{-4} \text{ m}^2/\text{s-V} \text{ at 1 atm}$$

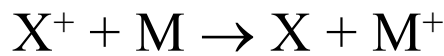
Typical (large) value: 1kV across a 1.0 cm gap gives:

$$v_{\text{drift}} = (2.5 \times 10^{-4} \text{ m}^2/\text{s-V}) * (10^3 \text{ V} / 0.01\text{m}) \sim 25 \text{ m/s} < v_{\text{thermal}}$$

$$t_{\text{collection}} \sim 0.005 \text{ m} / 25 \text{ m/s} = 2 \times 10^{-4} \text{ s} = 0.2 \text{ ms}$$

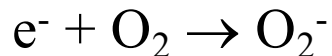
N.B.  $(\mu/p)$  for an electron is about  $10^2 - 10^3$  x larger due to its smaller mass

Drifting ions react chemically (need pure fill-gases but  $10^9$  collisions/sec):

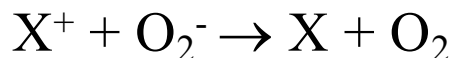


Charge exchange, impurity 'M' with lowest ionization potential (most massive?) collects charge

$$[\sigma \sim 10^{-16} \text{ cm}^2]$$



Electronegative molecules collect electrons  
(lose free, high speed electrons)



Neutralization – lose charge on two molecules



two-body recombination (only molecular ions)



three-body recombination (atomic ions)

Chemical kinetics:  $\frac{dn^+}{dt} = -\alpha n^+ n^-$        $\frac{d[M^+]}{dt} = -\alpha [M^+][e^-]$

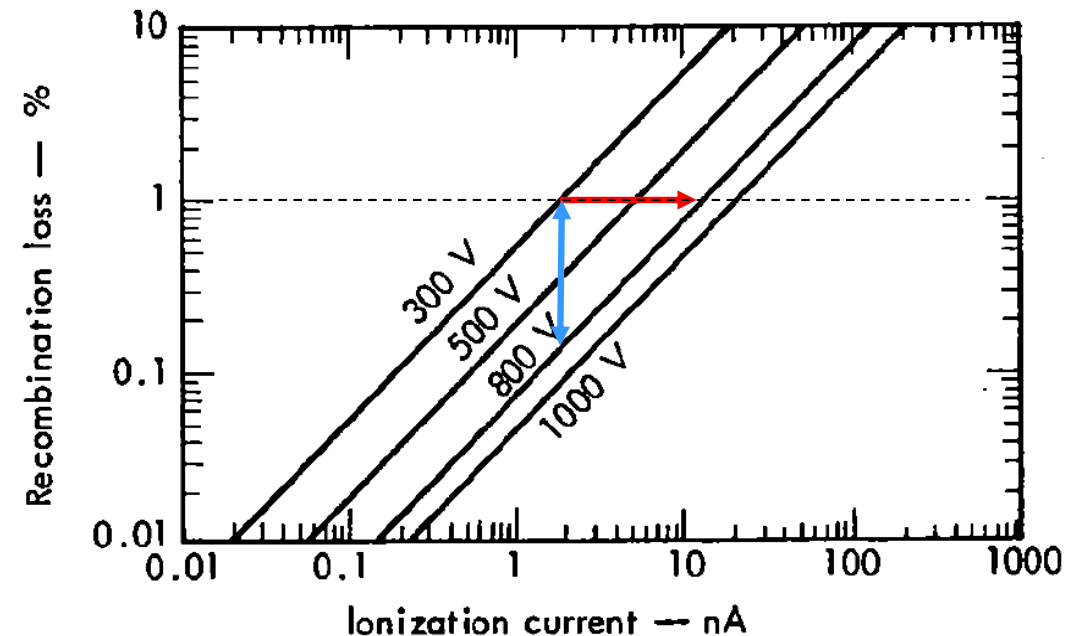
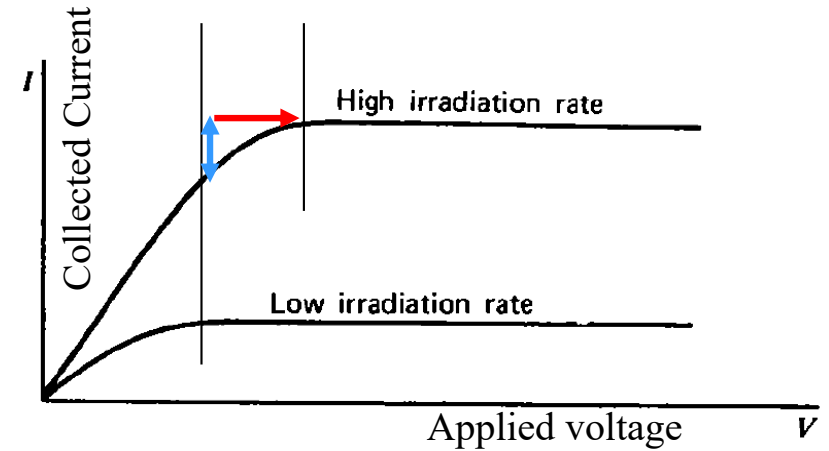
If density is uniform:  $\text{if } [M^+] \approx [e^-] \rightarrow \frac{d[M^+]}{dt} = -\alpha [M^+]^2$

$$[M^+] = \frac{[M^+]_{t=0}}{1 + \alpha t}$$

# Ion Chambers – Recombination/Saturation

The actual recombination is more complicated:

- All reactions are taking place simultaneously
- Ions are not distributed uniformly –  
column of charge, delta electrons
- Large fraction of electrons rapidly removed by electric field due to high mobility
- Space charge at high ionization rates in the detector can block the applied field ... stops drift and allows recombination.



Argon-filled ion chamber, 1 atm

Fig. 5.4 Knoll, 3<sup>rd</sup>,4<sup>th</sup> Eds.

# Ion Chambers – ‘Current mode’ Example

An ion chamber to measure biologically relevant doses:

Maximum permissible dose to “general public” – 2mR in any 1 hour

$$1 \text{ Rad} = 10^2 \text{ ergs/g} = 0.01 \text{ Gray} = 0.01 \text{ J/kg} = 6.2 \times 10^{13} \text{ eV/g}$$

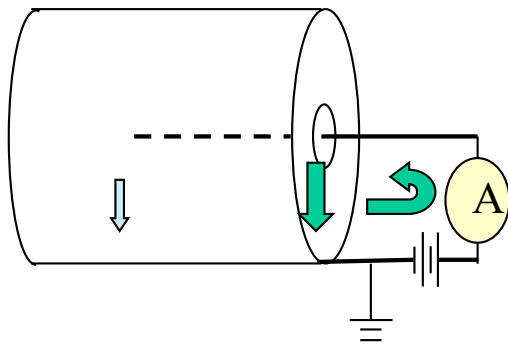
$$dE/dt = (2 \times 10^{-3} \text{ R/hr}) (6.2 \times 10^{13} \text{ eV/g R}) (1 \text{ hr} / 3600 \text{ s}) = 3.5 \times 10^7 \text{ eV/g-s}$$

$$\begin{aligned} \text{Air filled volume} - m \sim \rho V &= (28.8 \text{ g/mol} / 24 \text{ l/mol}) [\pi (2\text{cm})^2 4\text{cm} \times 10^{-3} \text{ l/cm}^3] \\ &= 1.2 \text{ g/l} [ \mathbf{0.050 \text{ l}} ] = 0.060 \text{ g} \end{aligned}$$

Current –

$$I = dE/dt (q_e / w) = (3.5 \times 10^7 \text{ eV/g-s}) (0.060 \text{ g}) (2 \times 1.602 \times 10^{-19} \text{ coul/IP} / 34 \text{ eV/IP})$$

$$I = 2 \times 10^{-14} \text{ A}$$



# Ion Chambers – Pulse mode – 1

Observe a single pulse in Ion Chamber:

- Ion chamber has an external circuit with  $RC > \tau_{\text{drift}}$  for cations ( $\sim \text{ms}$ )
- Parallel plates are large, ignore edge effects and  $\epsilon$  is parallel and linear
- $\epsilon$  is large enough to separate charges without recombination but no avalanches
- Assume that electrons remain free and move  $\sim 10^3$  faster than cations
- Ions are created in a line parallel to plates
- $V_{\text{max}} \sim Q/C = N_{\text{IP}} q_e 2/C$  (since  $RC$  is slow)

[General solution uses the concept of *Induced image charges* in Appendix.  
Solve Poisson Equation – see Jackson's book ...]

Initially two charge carriers:

$$V_R(t) = (N_{\text{IP}} q_e 2/C) (v^+ + v^-) t/d$$

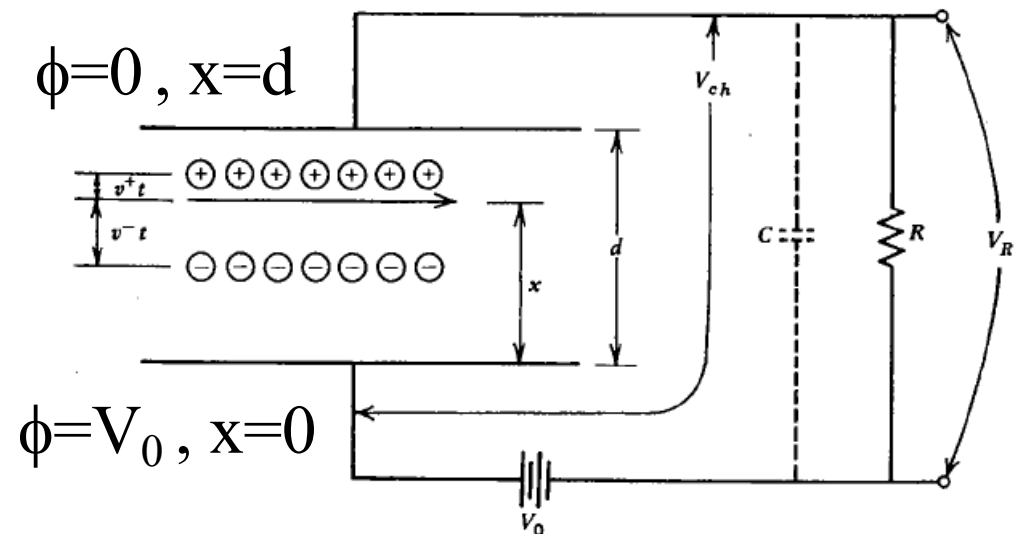
Electrons are collected:

$$V_R(t) = (N_{\text{IP}} q_e 2/C) (v^+ t + x) /d$$

Both are collected:

$$V_R(t) = (N_{\text{IP}} q_e 2/C) (d-x + x) /d$$

Fig. 5.15 Knoll, 3<sup>rd</sup> Ed.



# Ion Chambers – Pulse mode – 2

Initially two charge carriers:

$$V_R(t) = (N_{IP} q_e 2/C) (v^+ + v^-) t/d$$

N.B. the pulse shape is position dependent.

Radiation track close to anode, electrons are collected rapidly, motion of the slow cations makes bulk of the signal.  $\longrightarrow$

Radiation track closer to cathode, electrons move larger distance rapidly and make the bulk of the signal.  $\longleftarrow$

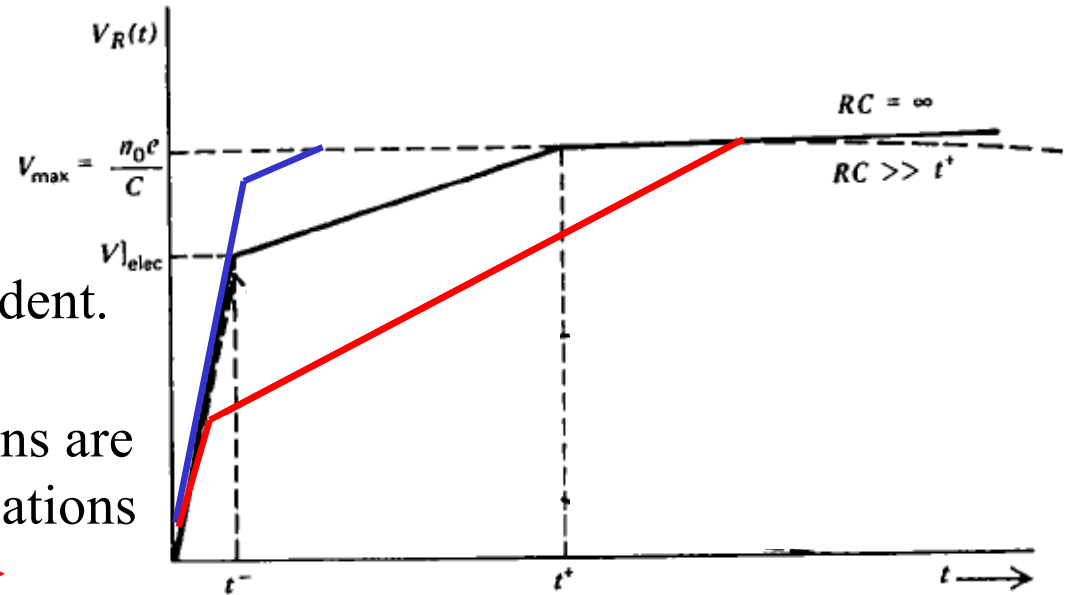
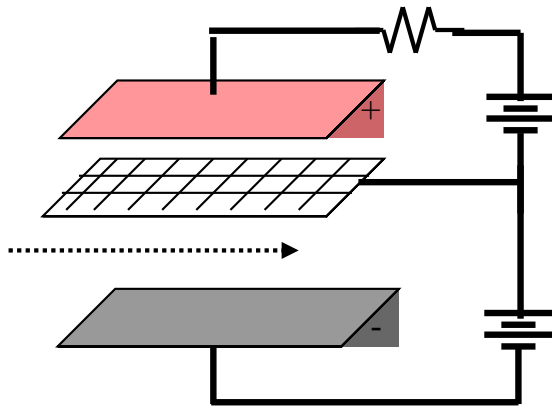


Fig. 5.16 Knoll, 3<sup>rd</sup> Ed.

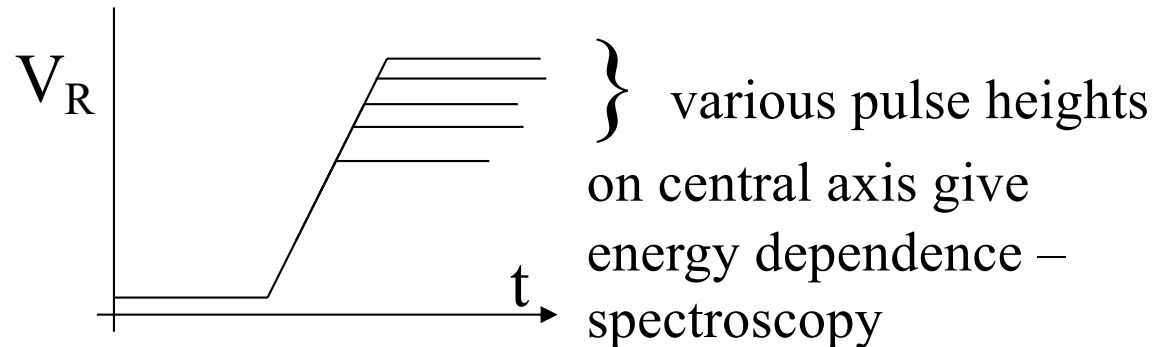
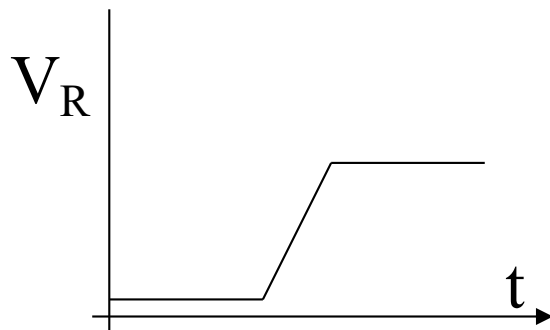


# Ion Chambers – (Otto A.) Frisch Grid

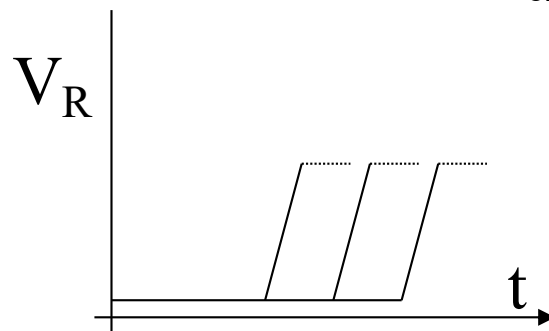


Give up measuring the cations ...

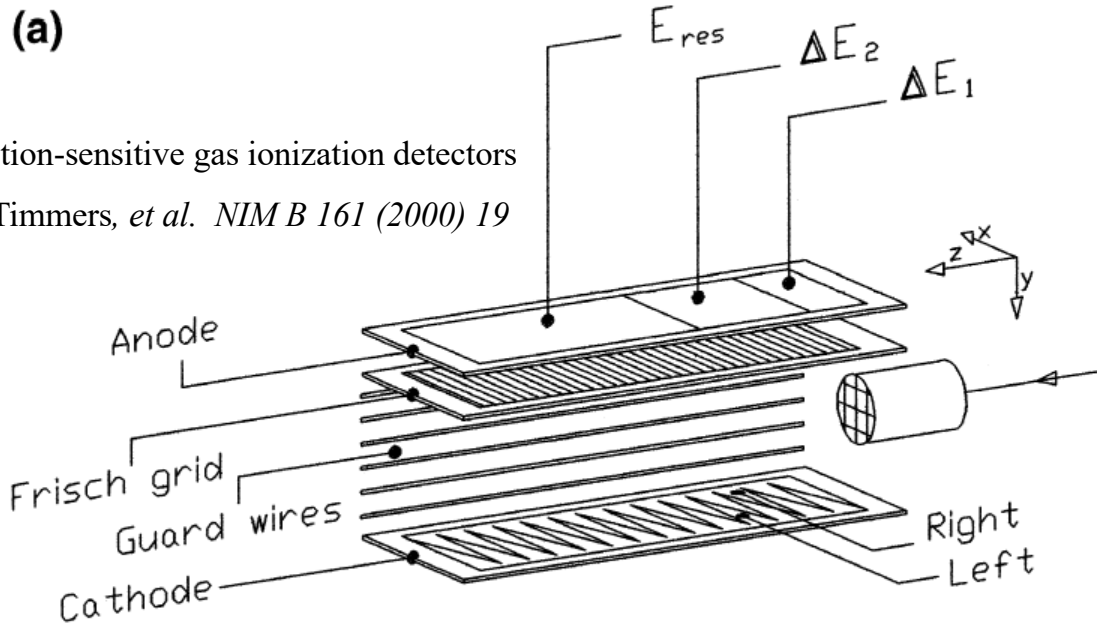
Add a grid at position between the anode and cathode but closer to the anode. The grid needs a high transmission but it will shield the anode electrically from the primary ionization.



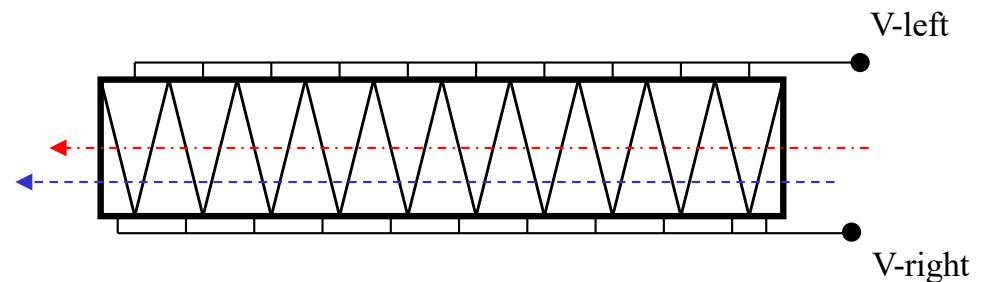
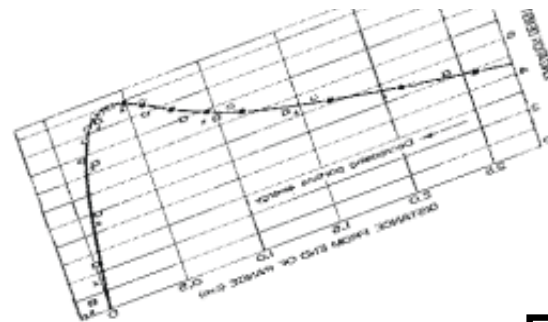
example: *Fowler & Jared, NIM 124 (1974) 341*



# Ion Chambers – Electrode Construction



- Field shaping wires control drift
- Segmented anode – obvious
- Wedged cathode – ?



- Wedged cathode:

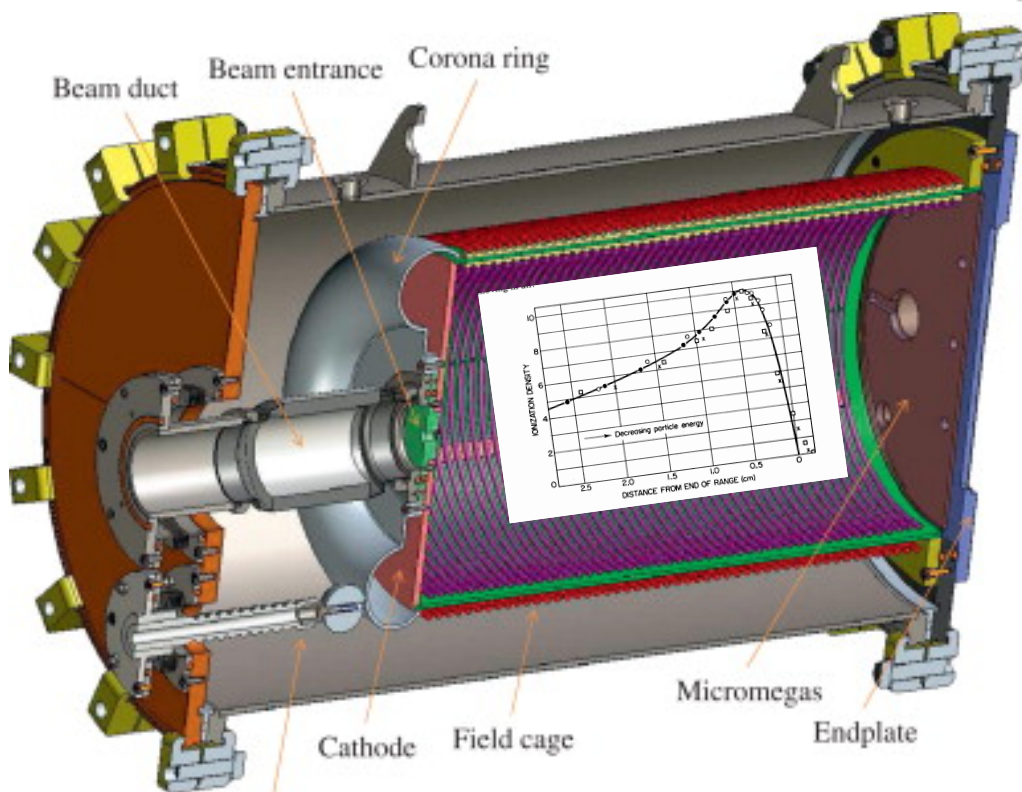
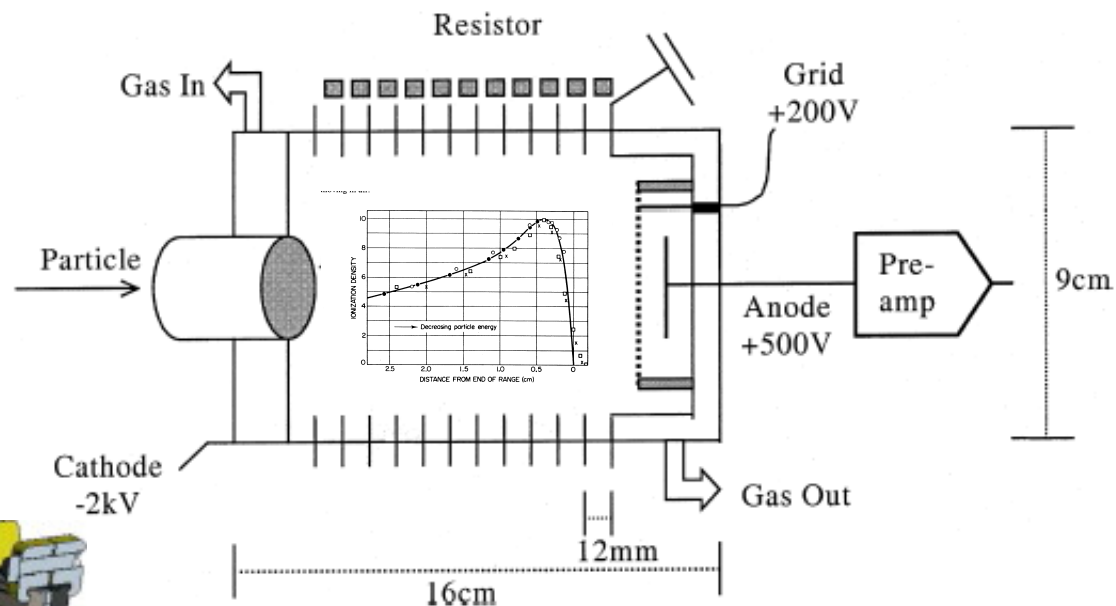
Red signals (middle)  $V_{\text{left}} = V_{\text{Right}}$

Blue signals (lower edge)  $V_{\text{left}} < V_{\text{Right}}$

# Ion Chambers – Drift Direction

## Bragg Curve Detector for AMS

by Santos, et al. NIM B 172 (2000) 310



## Commissioning of the Active-Target Time Projection Chamber

by Bradt, et al. NIM A 875 (2017) 65

1m x ~0.3m diameter,  $\sim 10^4$  V bias